

Summary

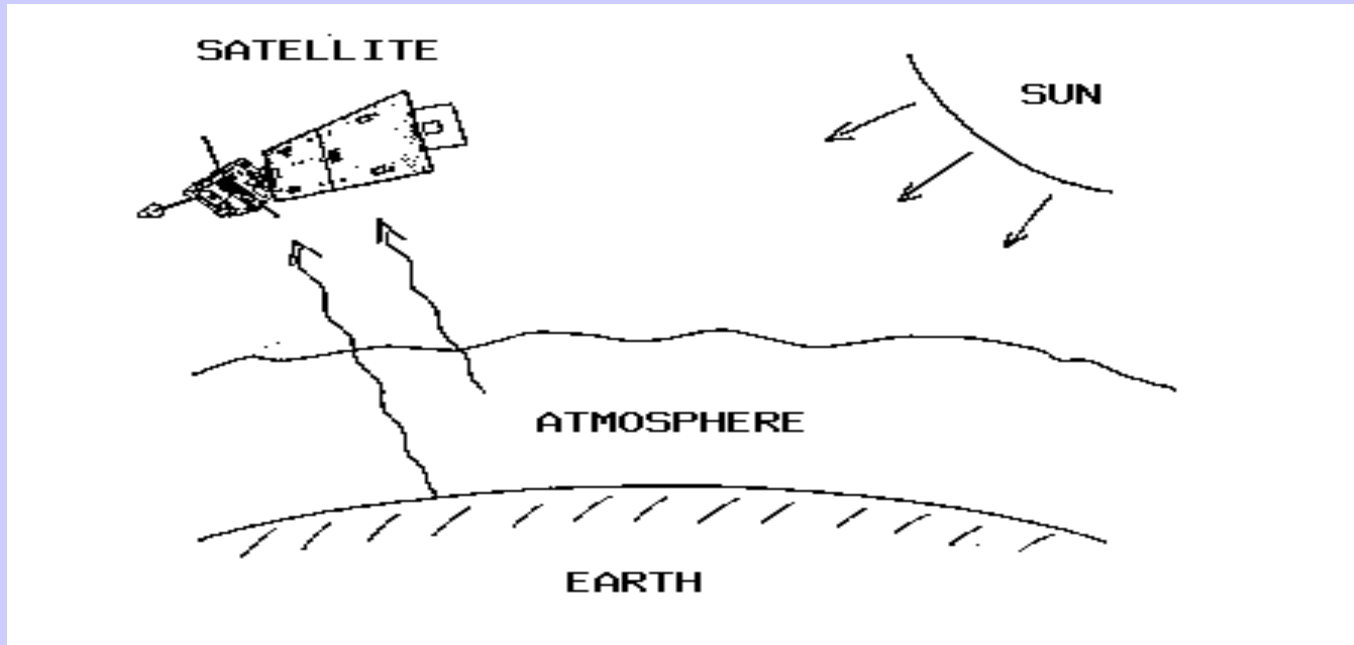
Remote Sensing Seminar

Lectures in Maratea

Paul Menzel
NOAA/NESDIS/ORA

22-31 May 2003

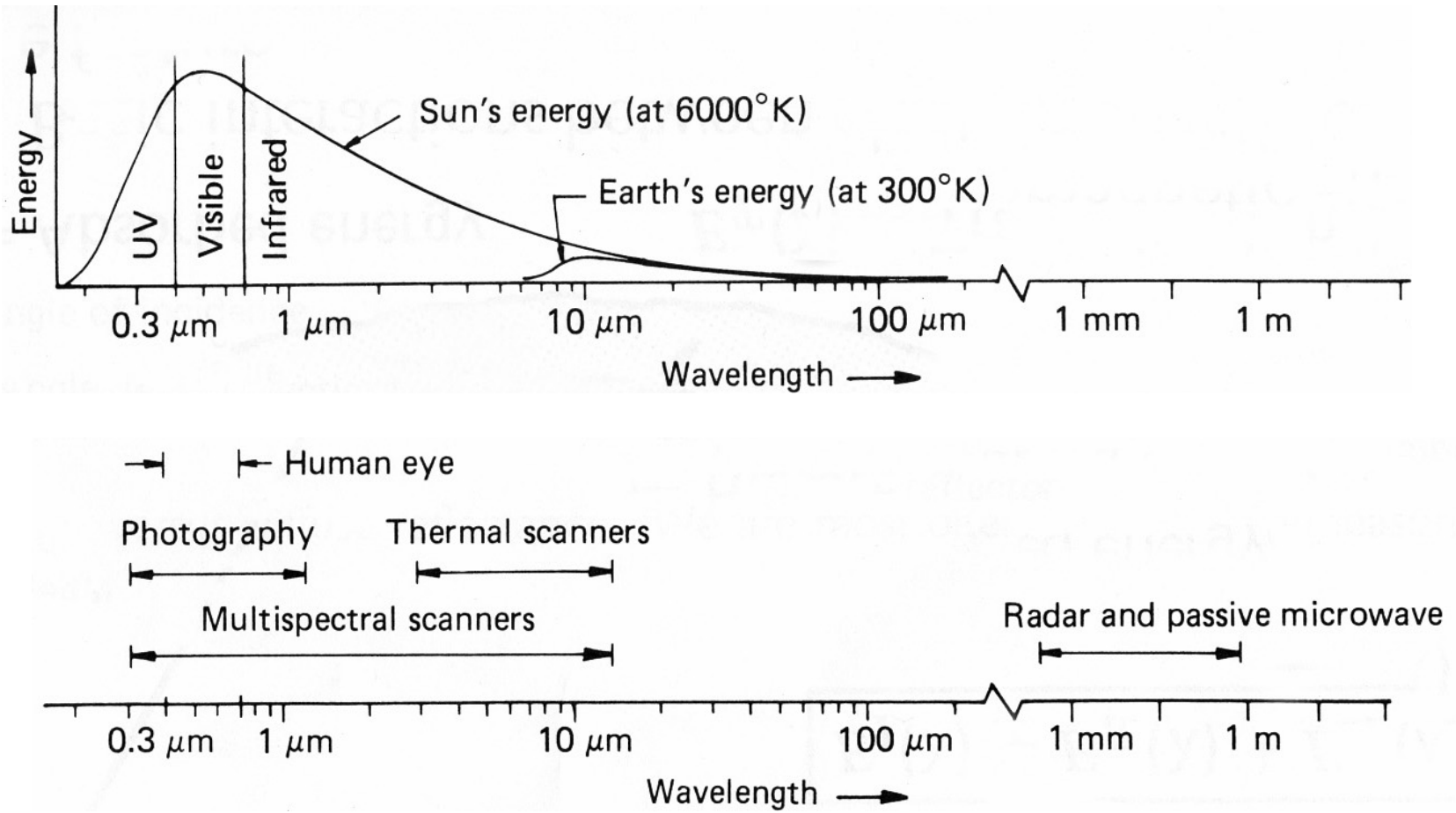
Satellite remote sensing of the Earth-atmosphere



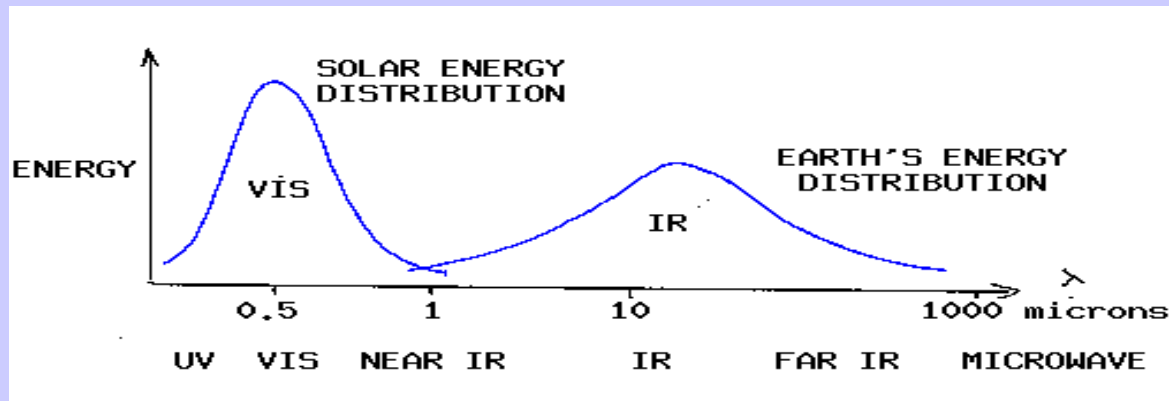
Observations depend on

- telescope characteristics (resolving power, diffraction)
- detector characteristics (signal to noise)
- communications bandwidth (bit depth)
- spectral intervals (window, absorption band)
- time of day (daylight visible)
- atmospheric state (T, Q, clouds)
- earth surface (Ts, vegetation cover)

Spectral Characteristics of Energy Sources and Sensing Systems



Solar (visible) and Earth emitted (infrared) energy

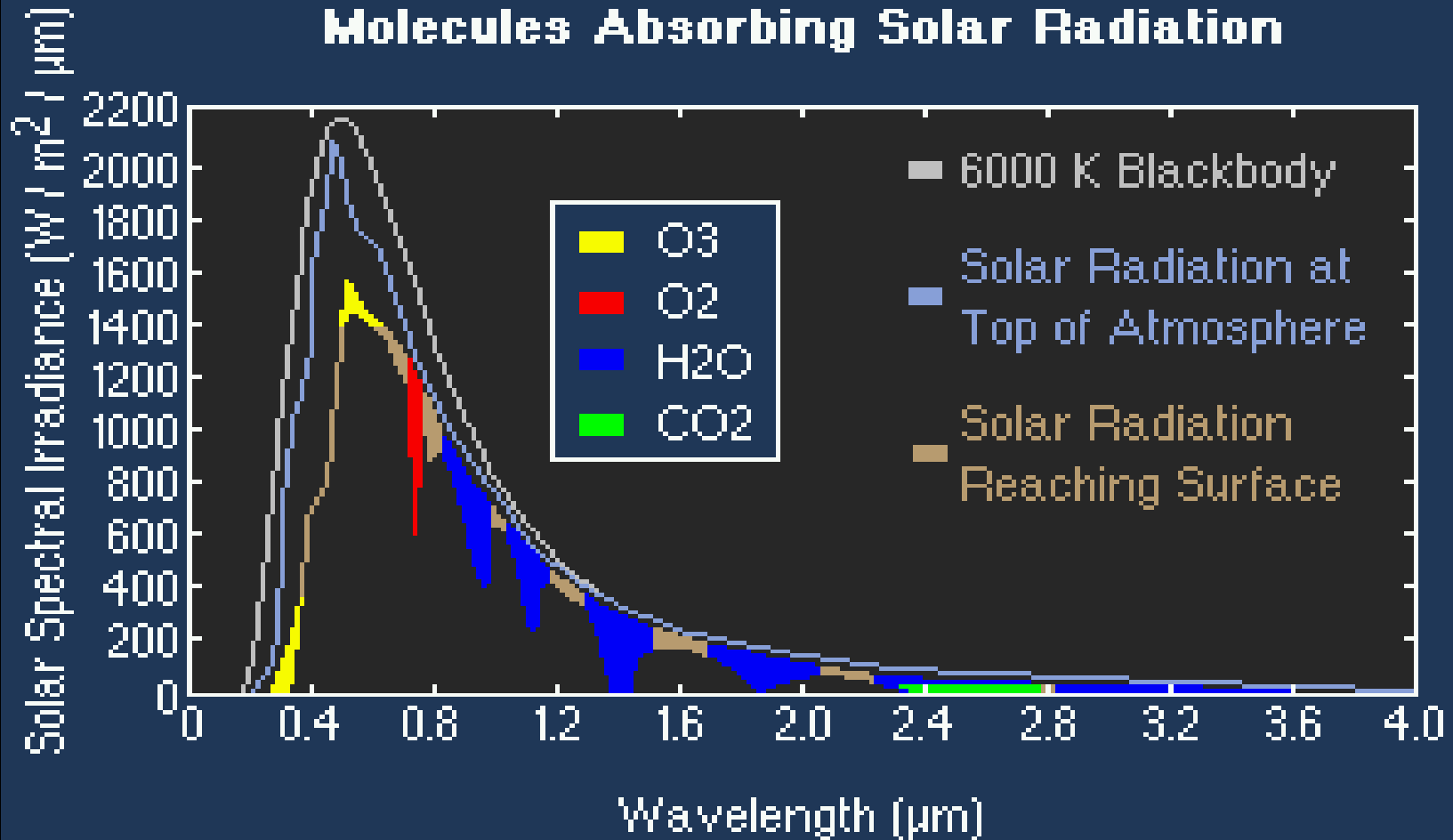


Incoming solar radiation (mostly visible) drives the earth-atmosphere (which emits infrared).

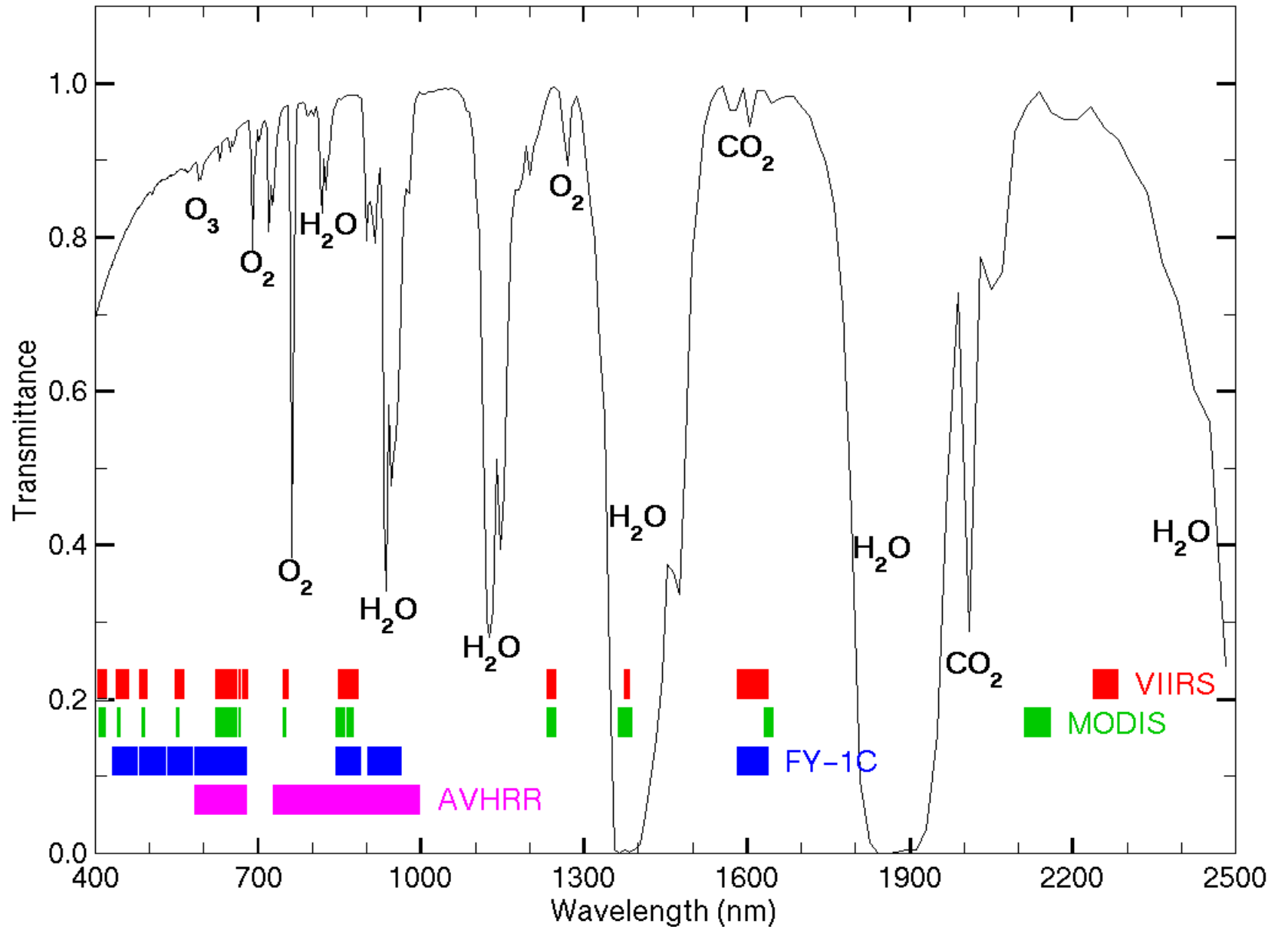
Over the annual cycle, the incoming solar energy that makes it to the earth surface (about 50 %) is balanced by the outgoing thermal infrared energy emitted through the atmosphere.

The atmosphere transmits, absorbs (by H₂O, O₂, O₃, dust) reflects (by clouds), and scatters (by aerosols) incoming visible; the earth surface absorbs and reflects the transmitted visible. Atmospheric H₂O, CO₂, and O₃ selectively transmit or absorb the outgoing infrared radiation. The outgoing microwave is primarily affected by H₂O and O₂.

Solar Spectrum



VIIRS, MODIS, FY-1C, AVHRR

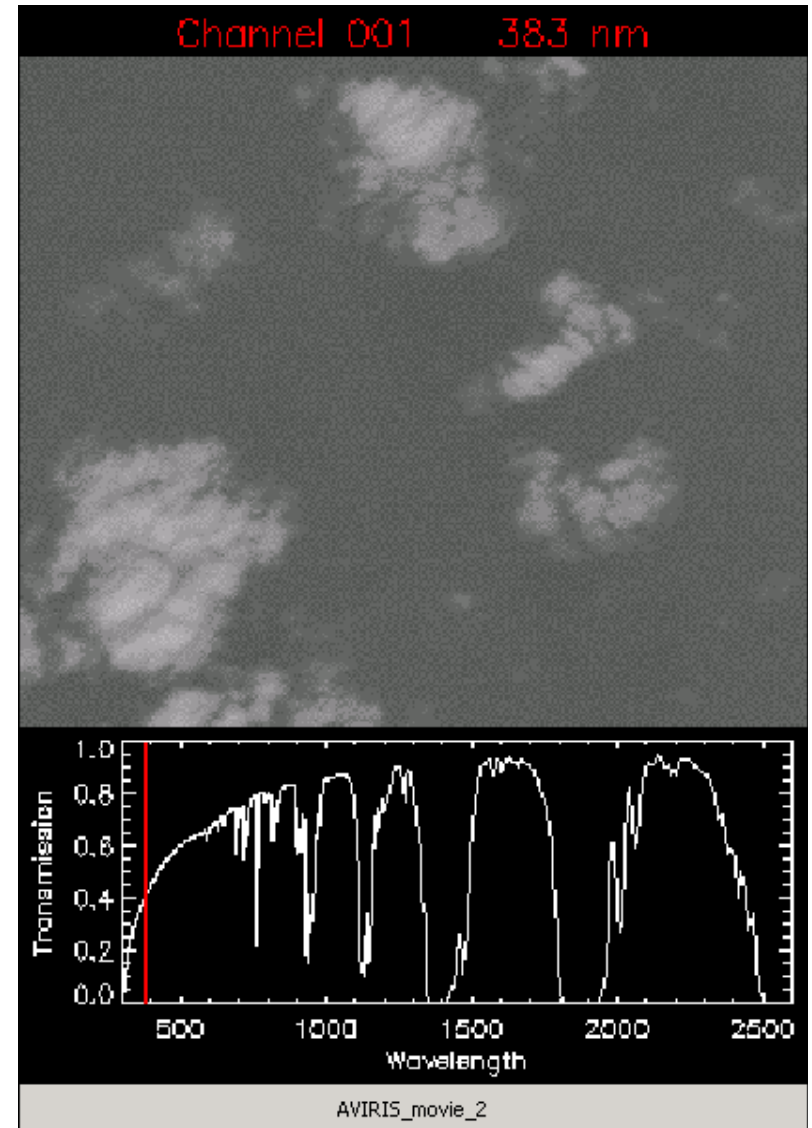
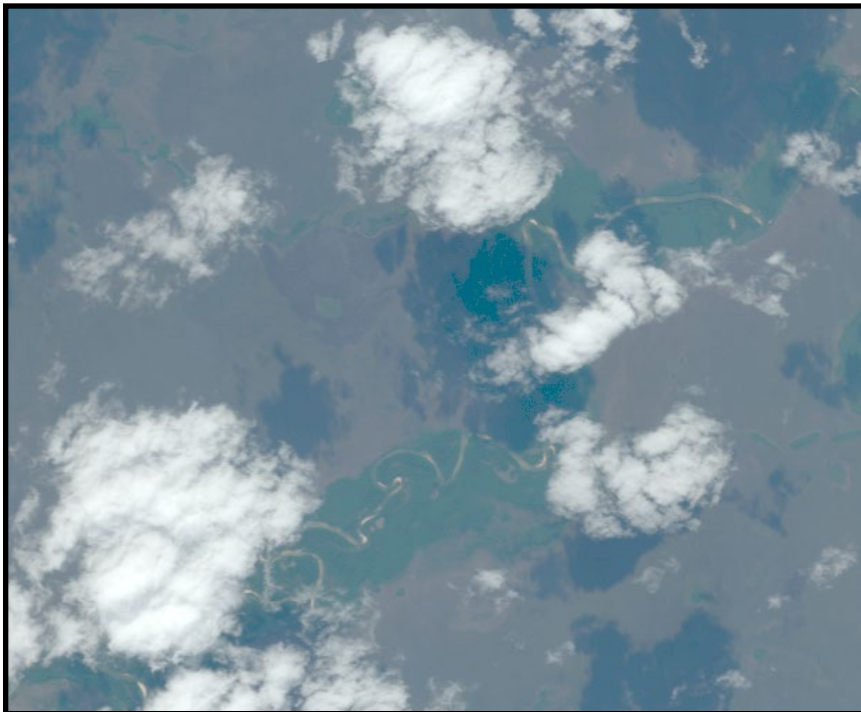


AVIRIS Movie #2

AVIRIS Image - Porto Nacional, Brazil
20-Aug-1995

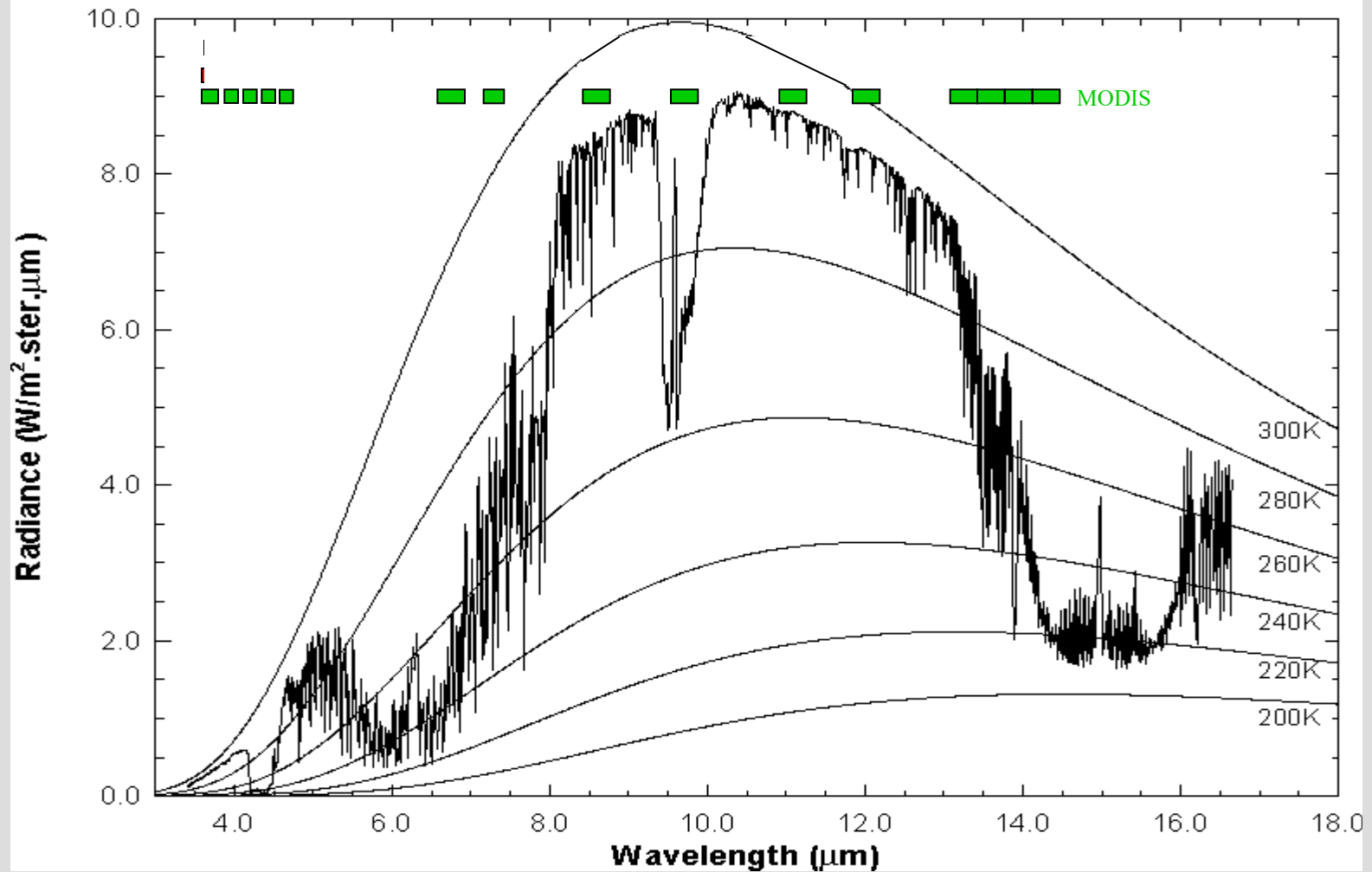
224 Spectral Bands: 0.4 - 2.5 μm

Pixel: 20m x 20m Scene: 10km x 10km

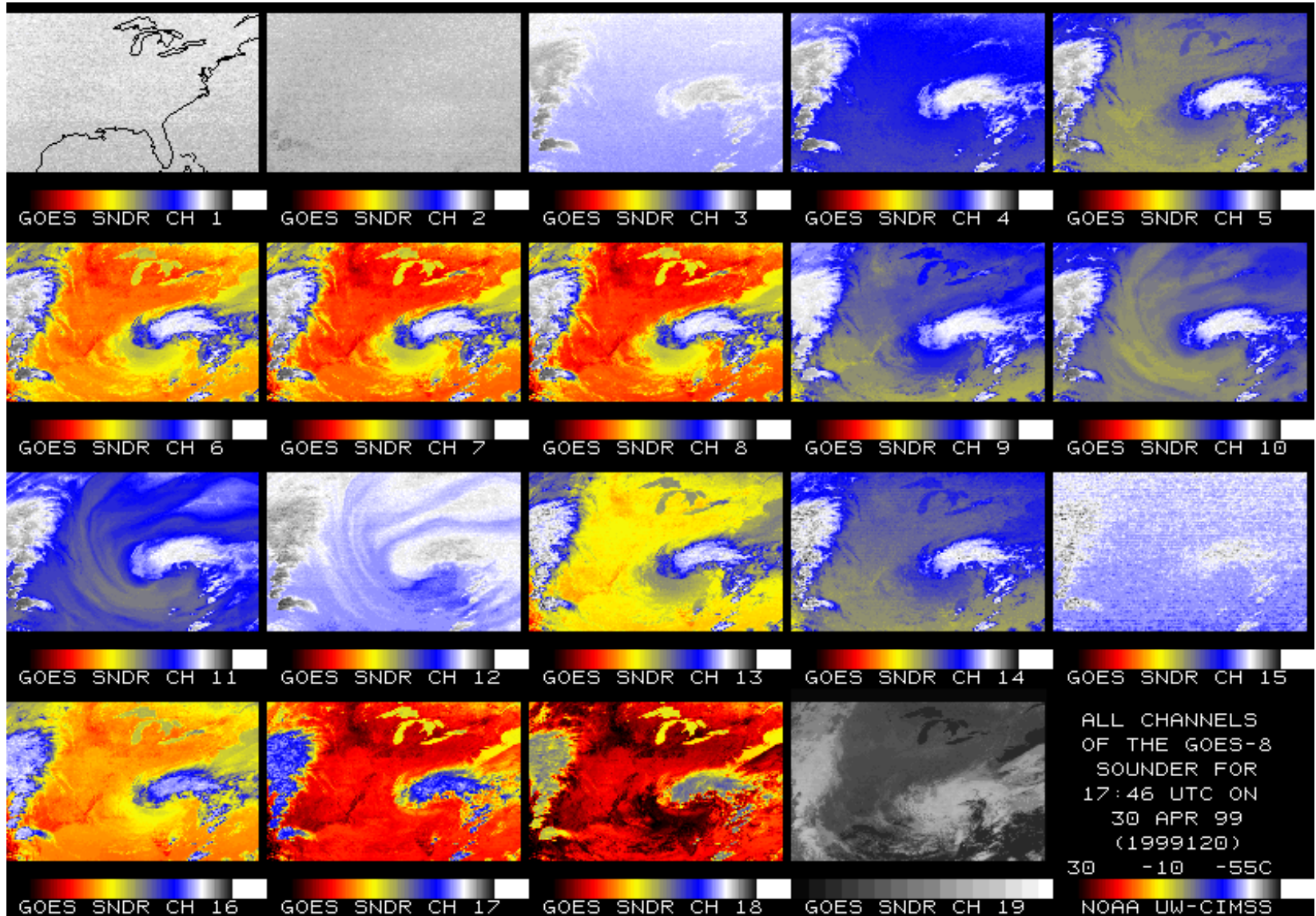


MODIS IR Spectral Bands

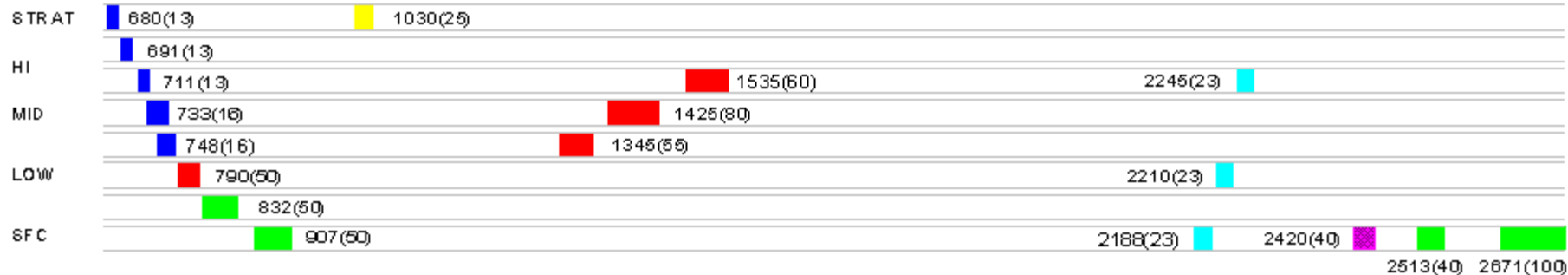
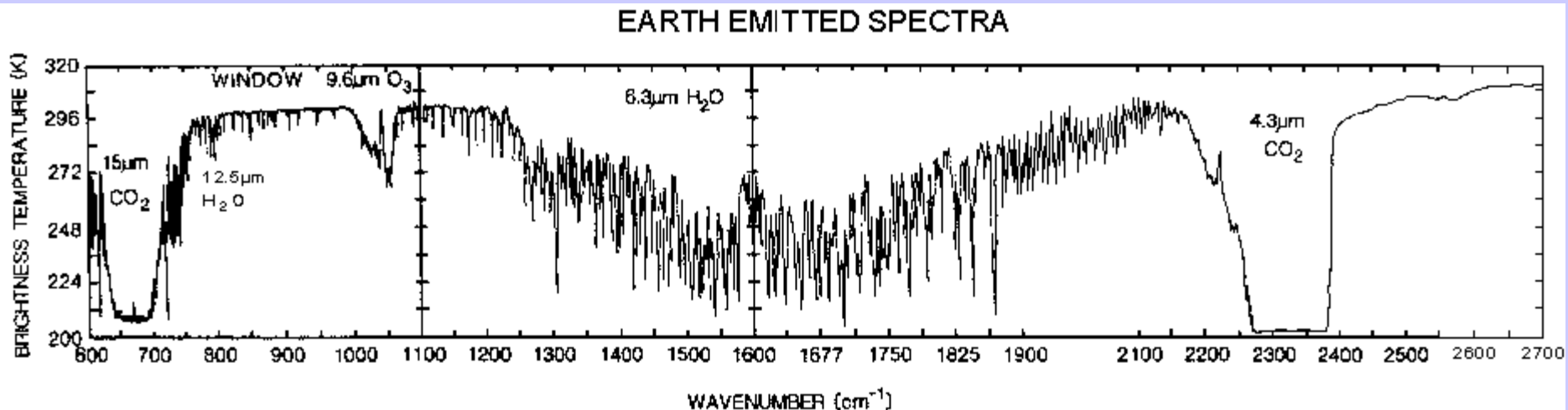
High resolution atmospheric absorption spectrum and comparative blackbody curves.



Current GOES Sounder Spectral Bands: 14.7 to 3.7 um and vis



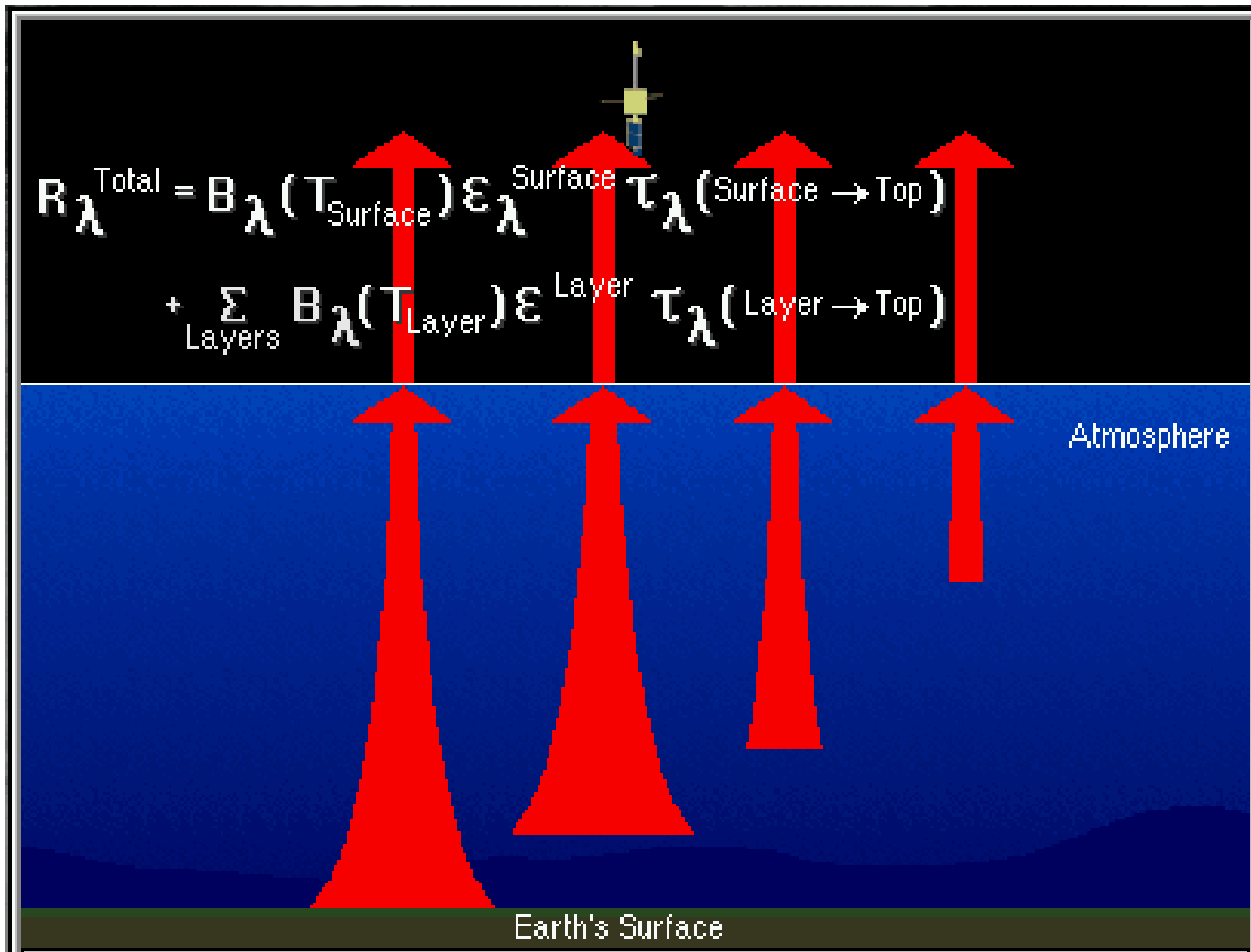
GOES Sounder Spectral Bands: 14.7 to 3.7 um and vis

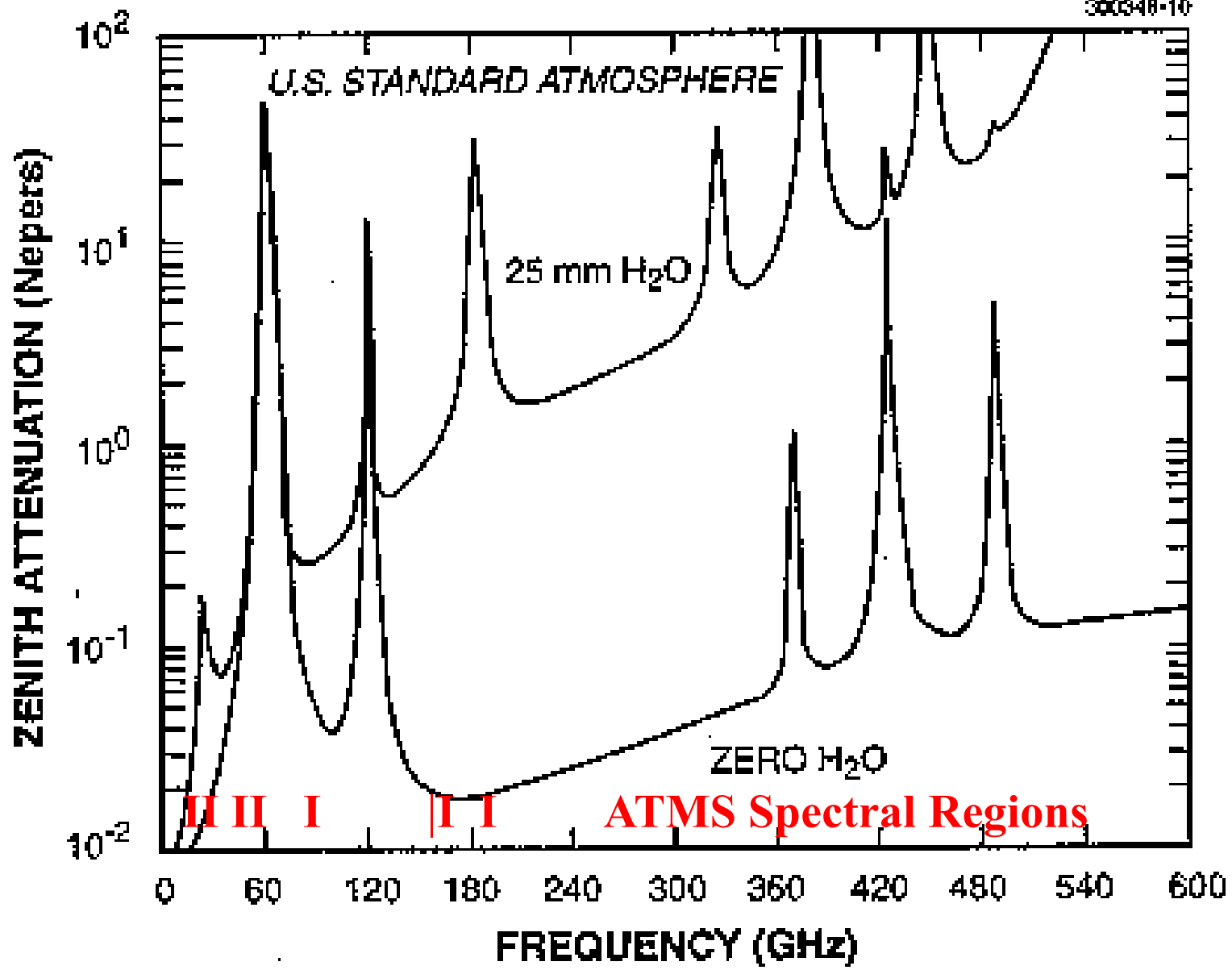


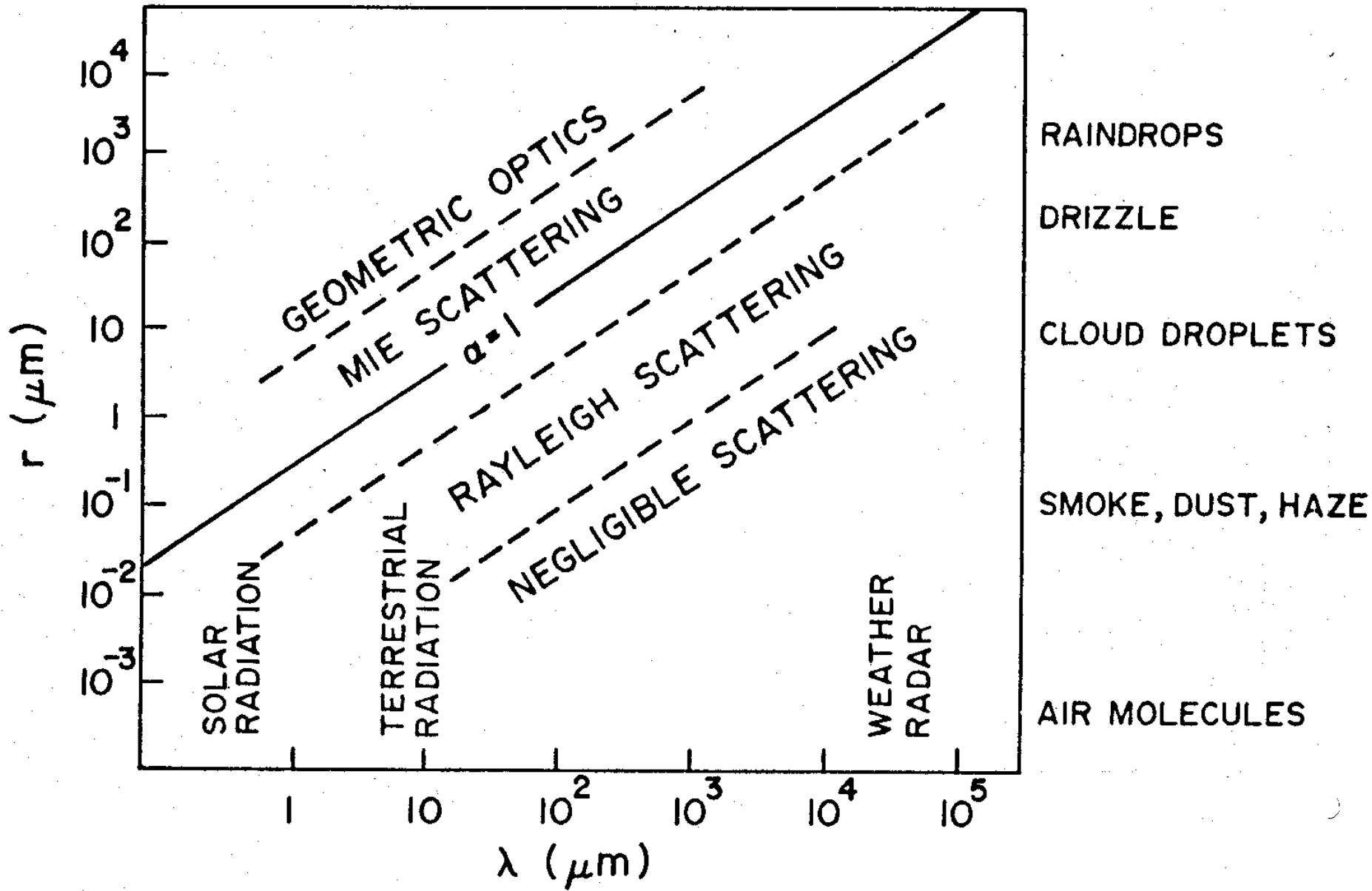
GOES-I SOUNDER SPECTRAL BANDS



Radiative Transfer through the Atmosphere







Radiation is governed by Planck's Law

$$B(\lambda, T) = \frac{c_1}{\lambda^5} \left[e^{-\frac{c_2}{\lambda T}} - 1 \right]^{-1}$$

In microwave region $c_2/\lambda T \ll 1$ so that

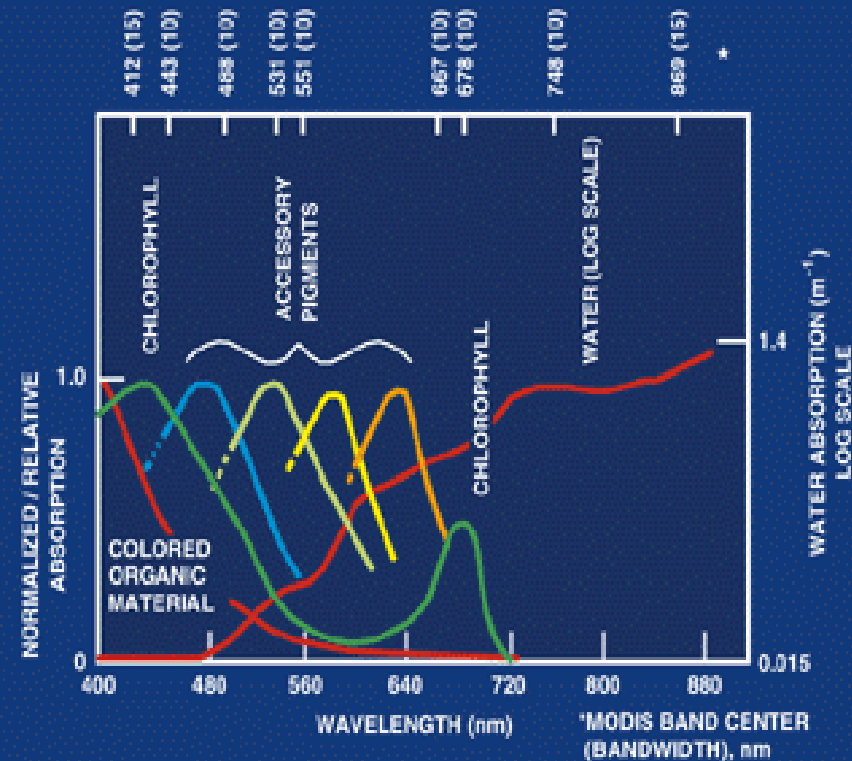
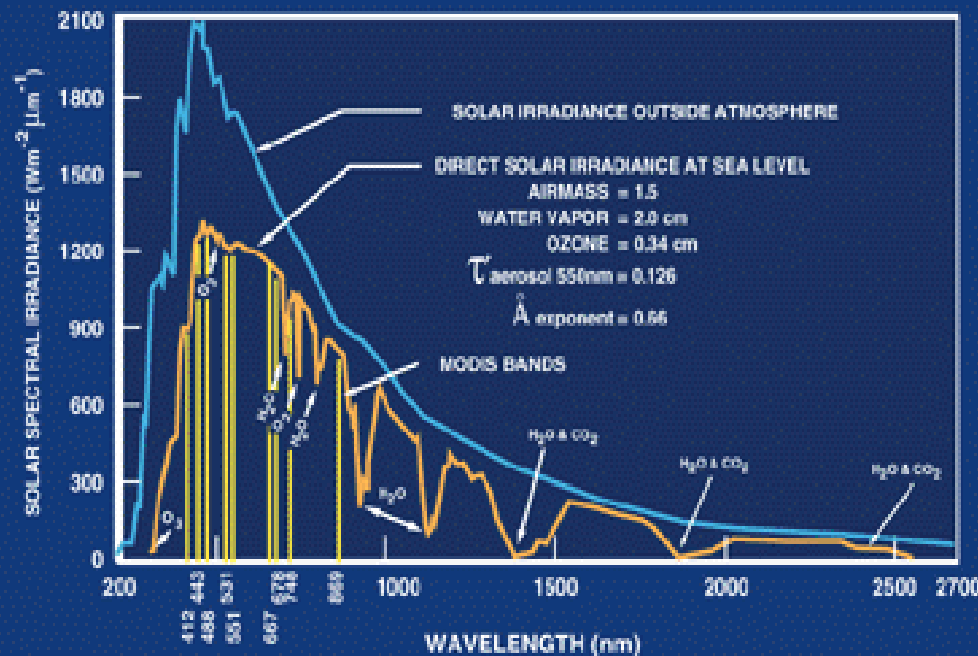
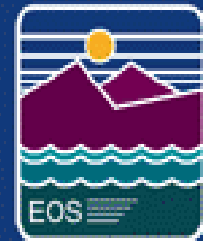
$$e^{-\frac{c_2}{\lambda T}} \approx 1 - \frac{c_2}{\lambda T} + \text{second order}$$

And classical Rayleigh Jeans radiation equation emerges

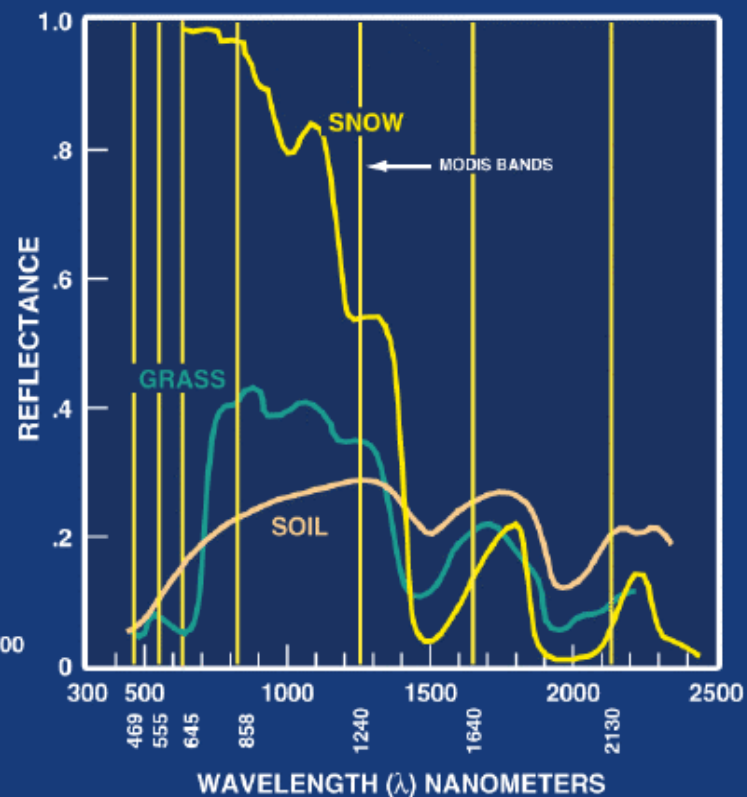
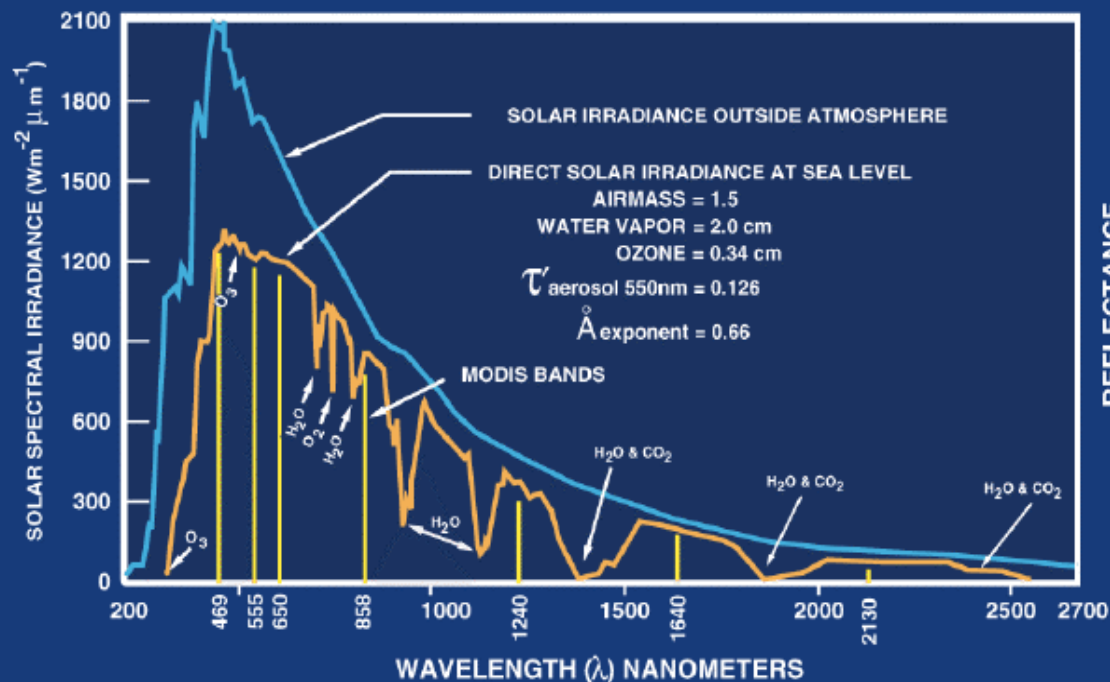
$$B_\lambda(T) \approx \left[\frac{c_1}{c_2} \right] \left[\frac{T}{\lambda^4} \right]$$

Radiance is linear function of brightness temperature.

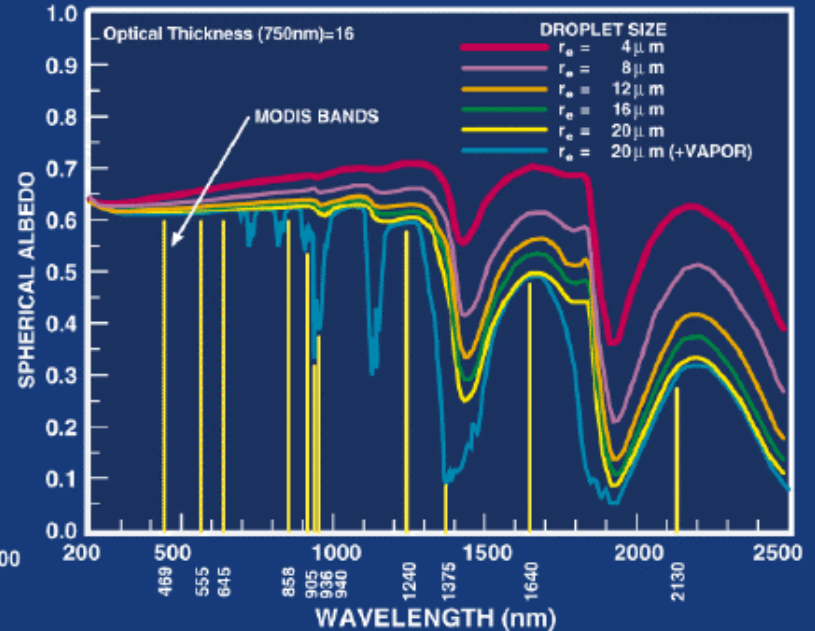
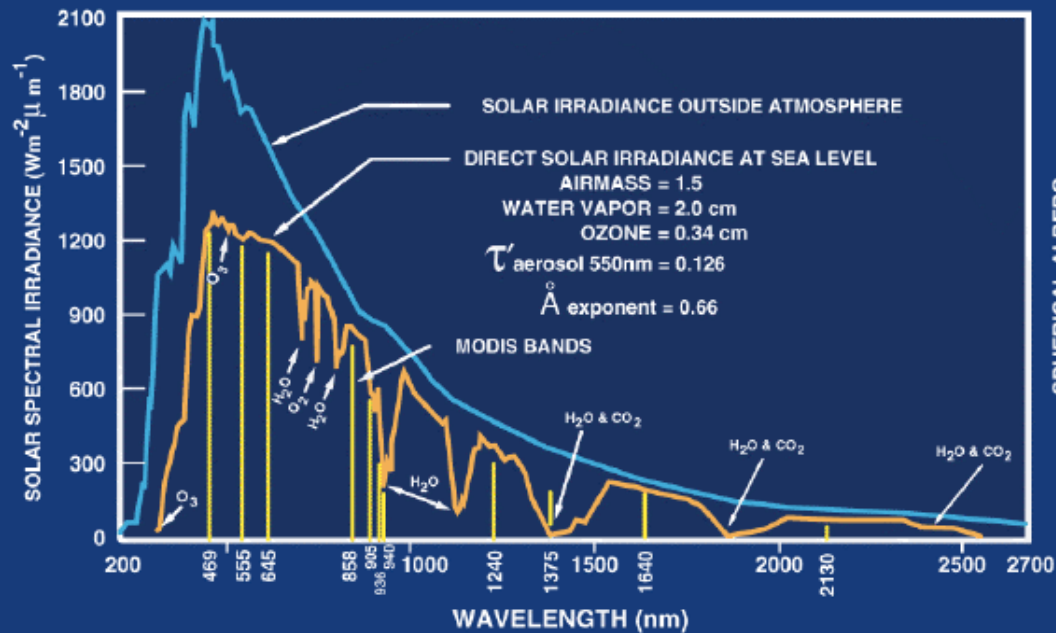
OCEAN-SOLAR RADIATION



LAND-SOLAR RADIATION

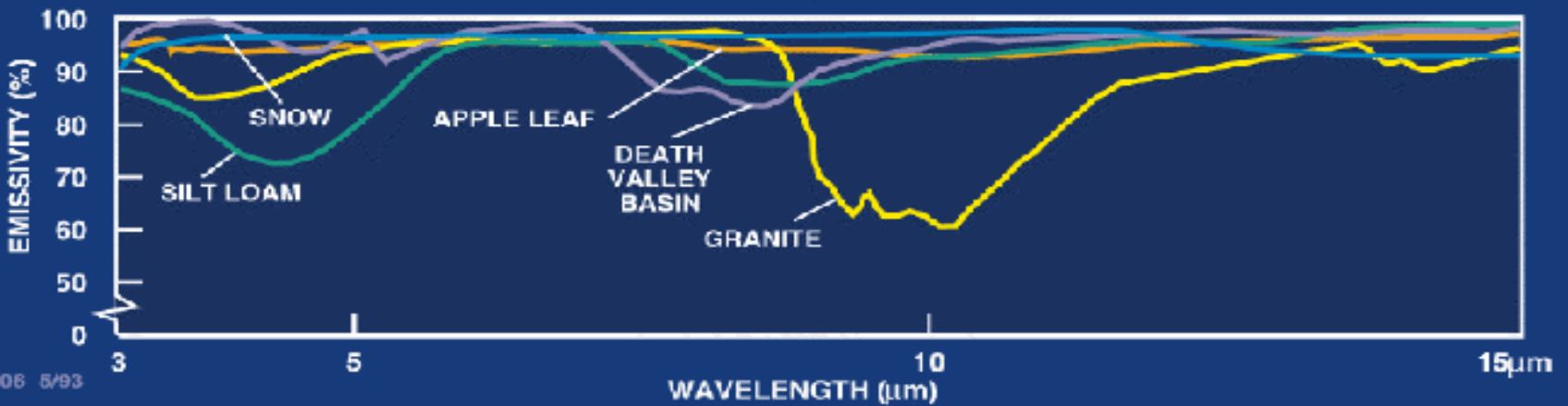
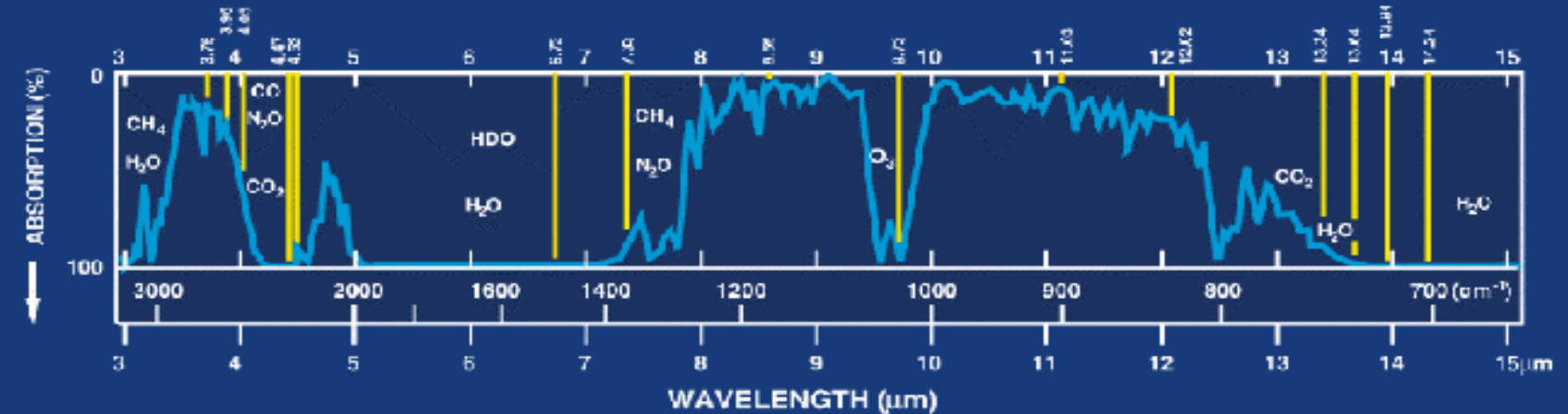


ATMOSPHERE-SOLAR RADIATION

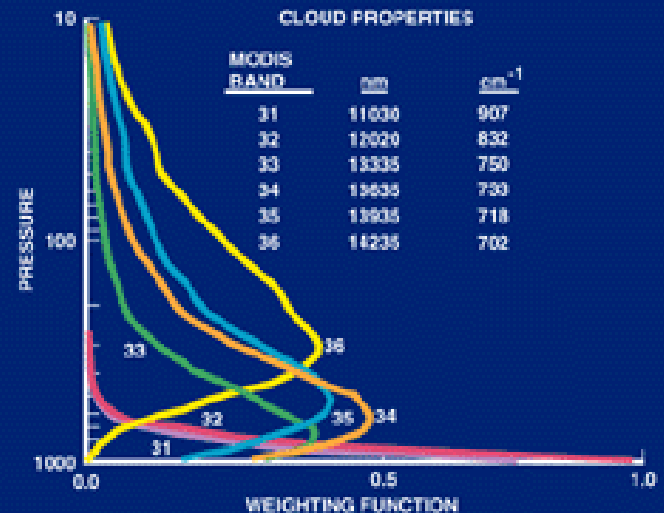
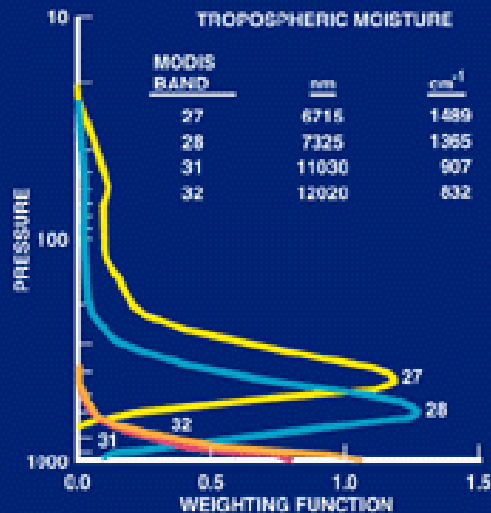
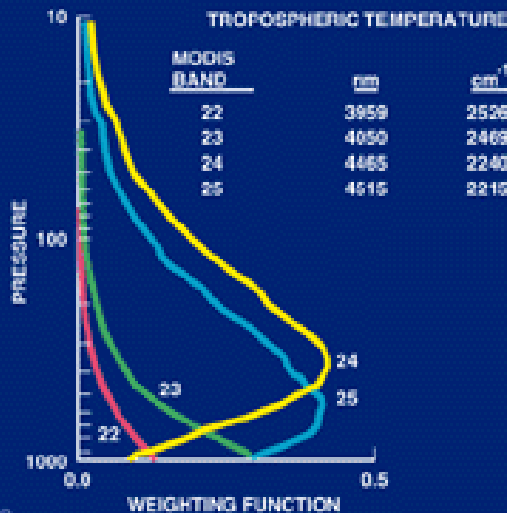
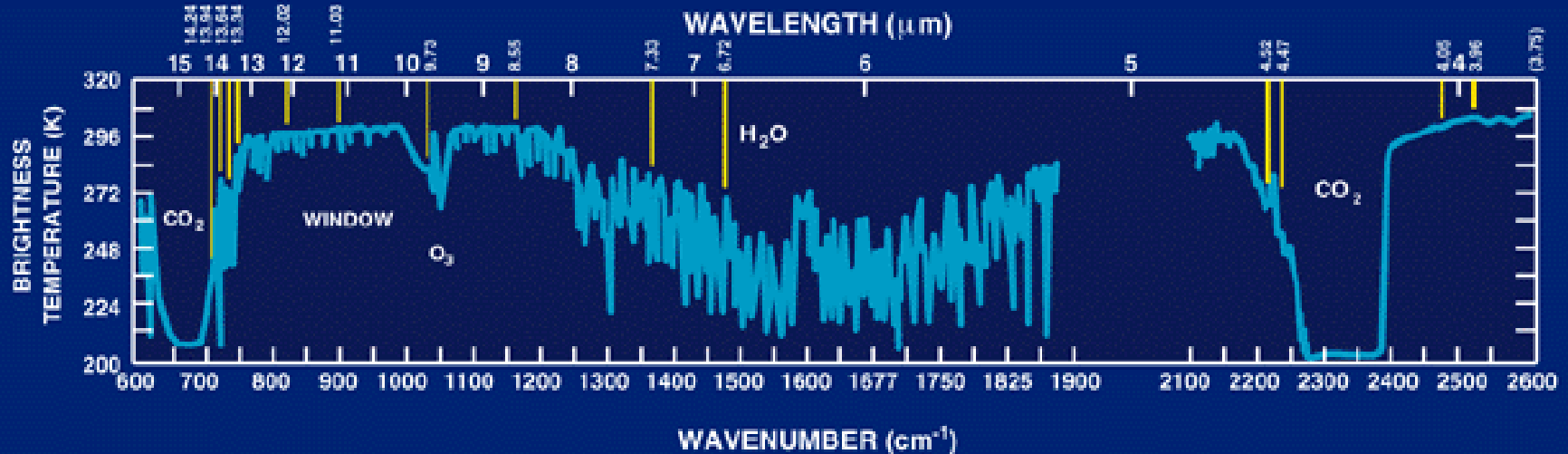




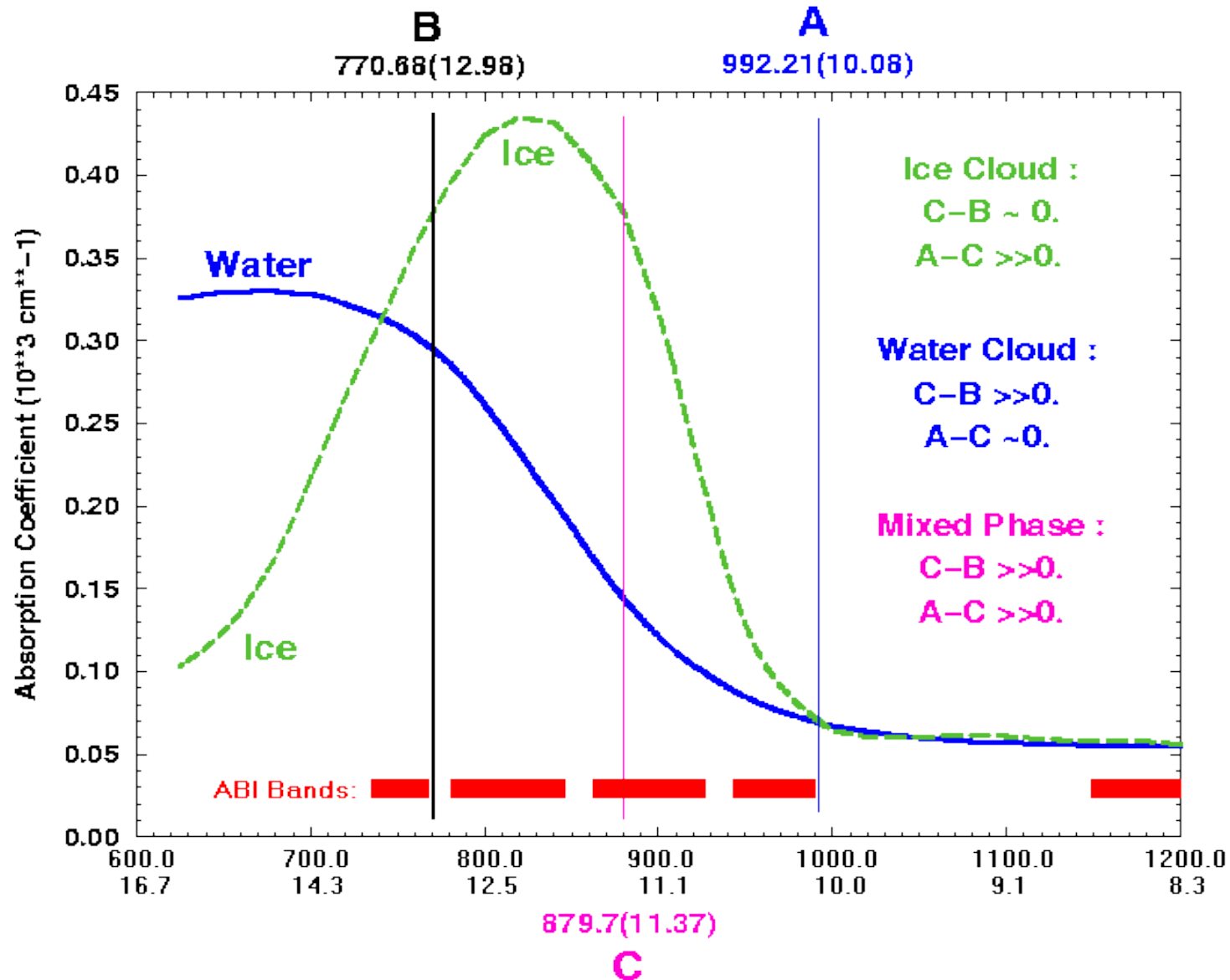
LAND - THERMAL RADIATION



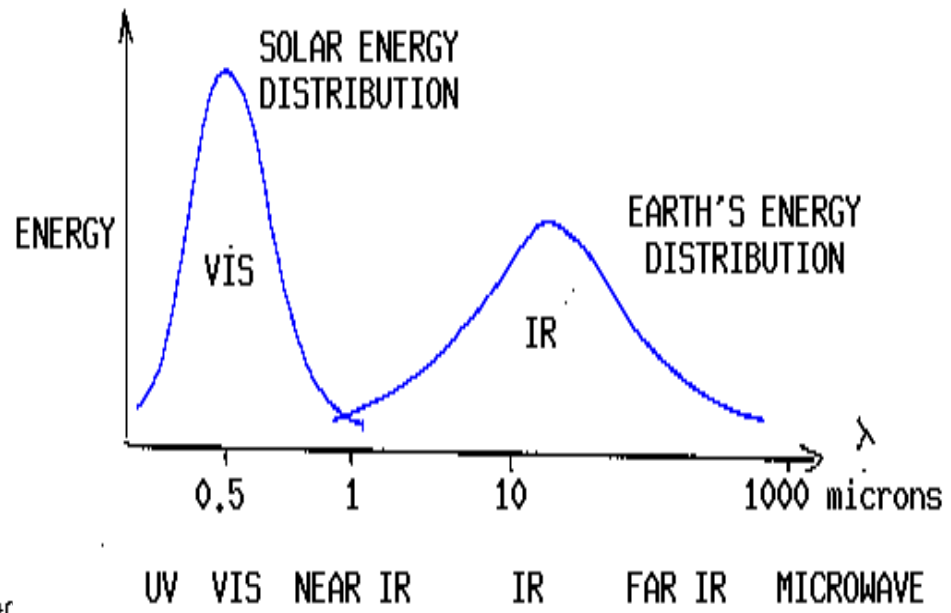
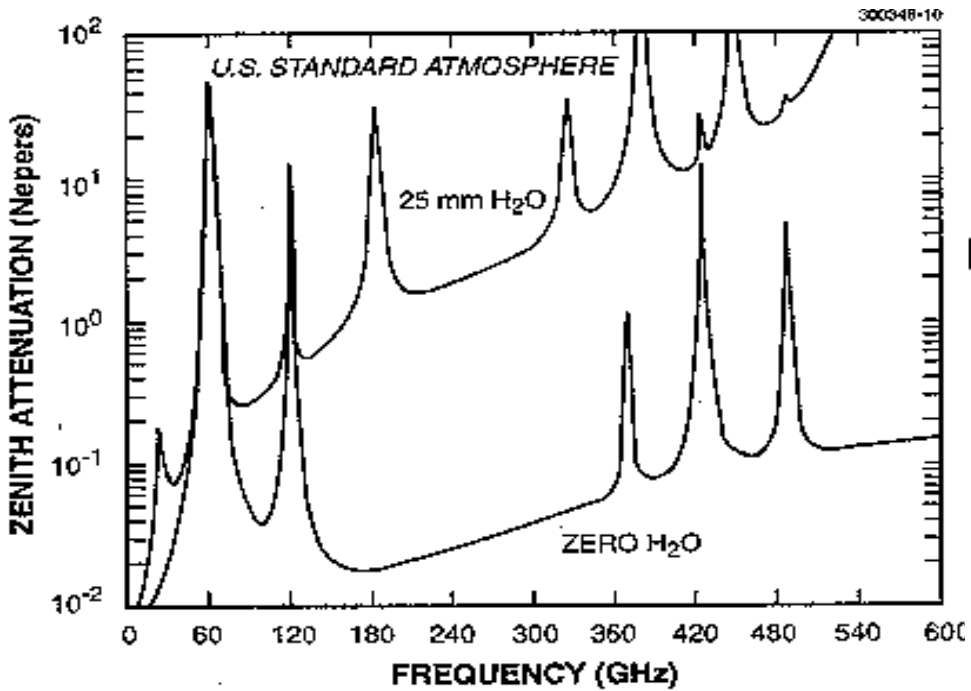
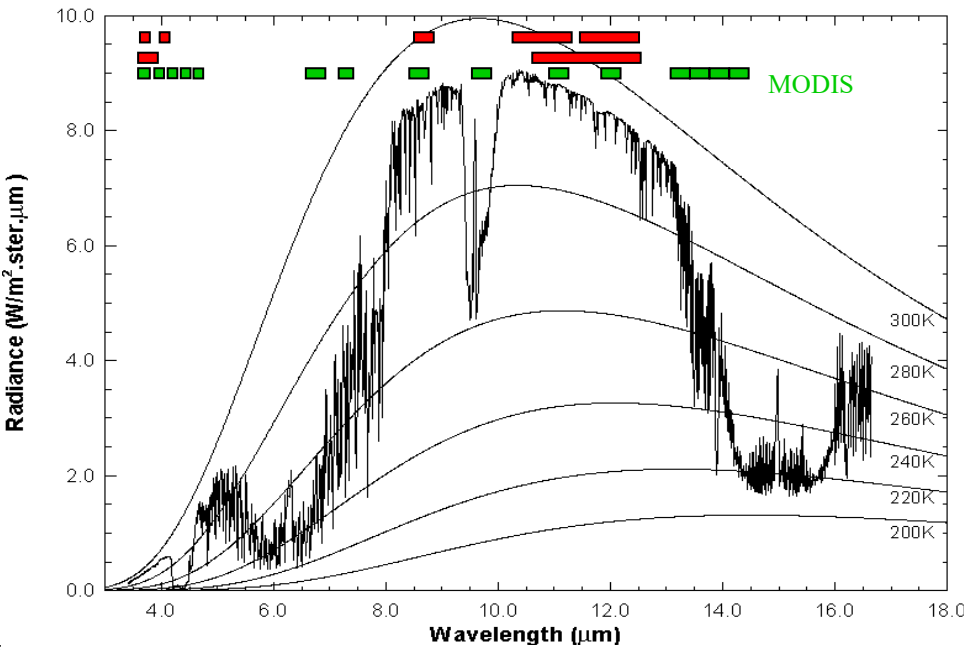
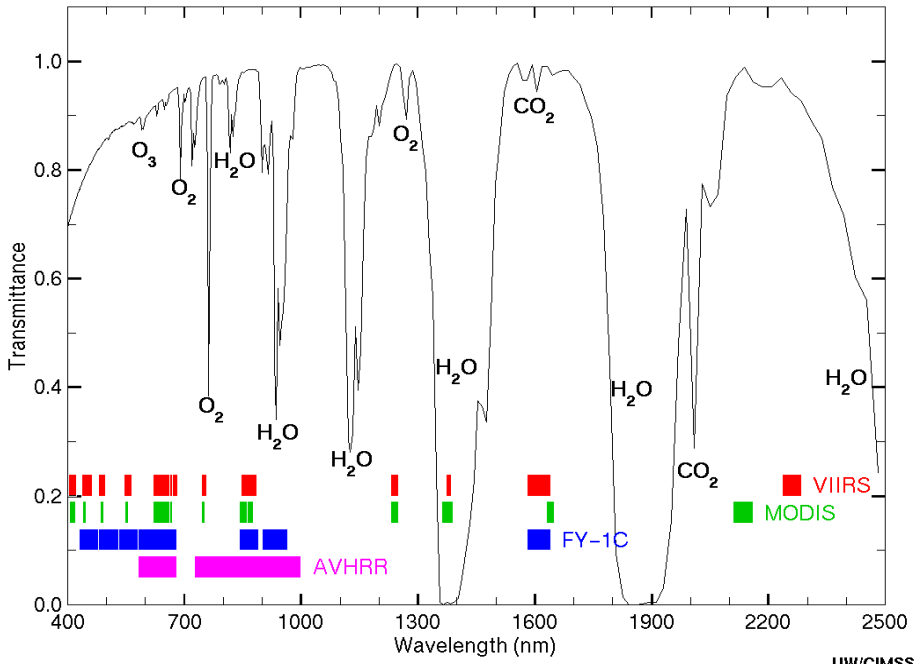
ATMOSPHERE - THERMAL RADIATION

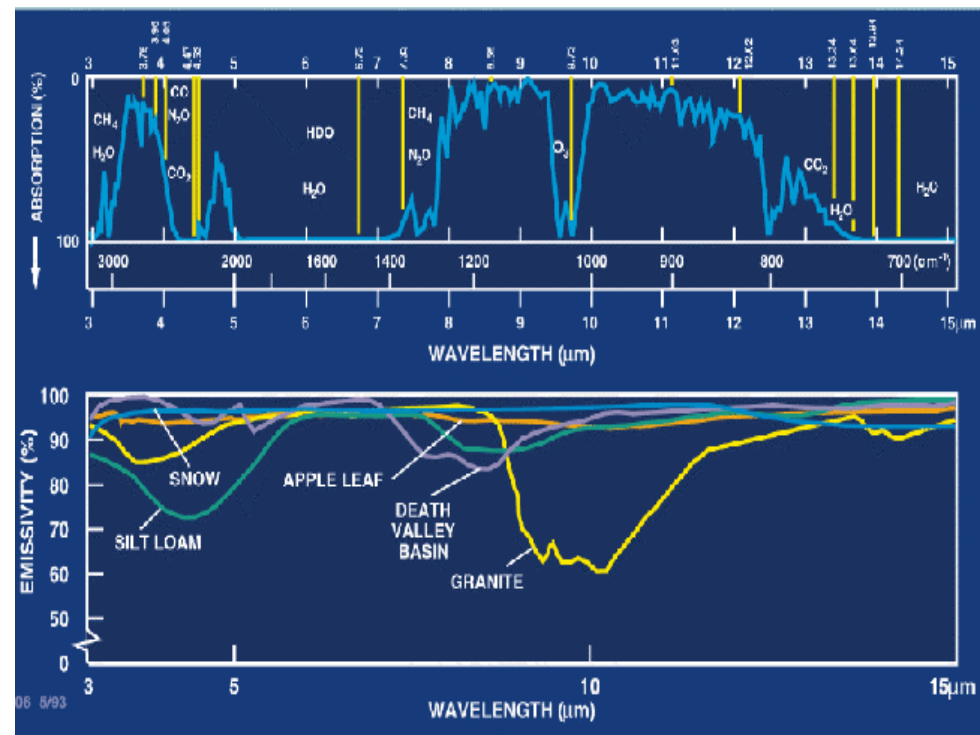
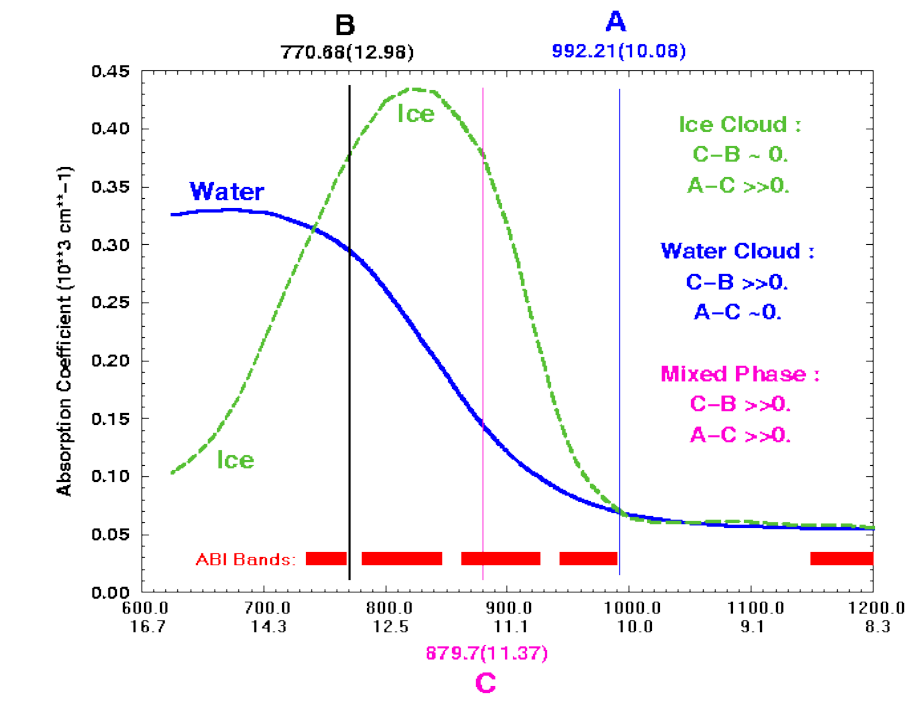
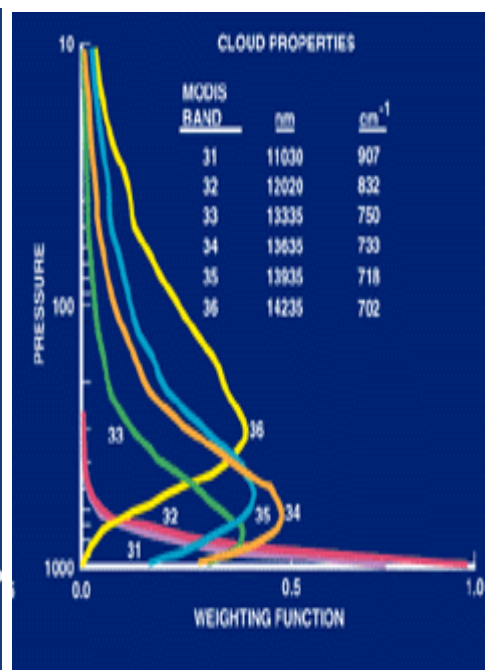
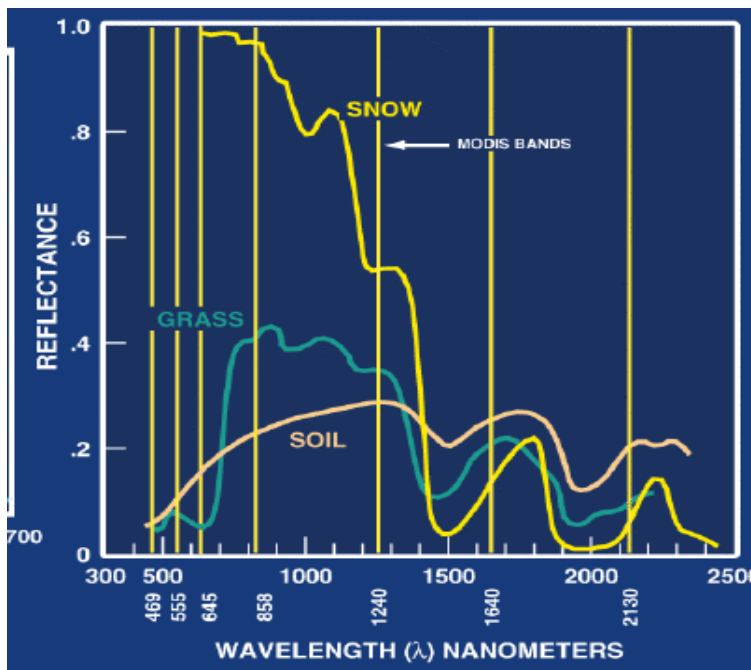
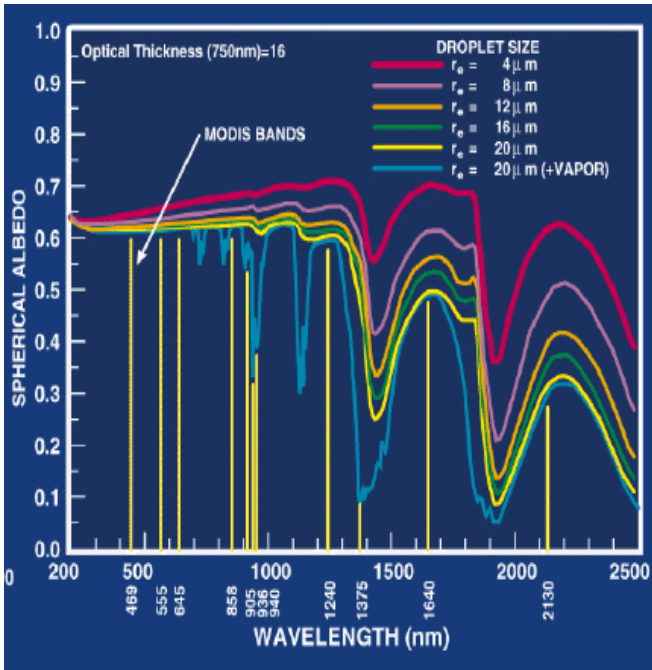


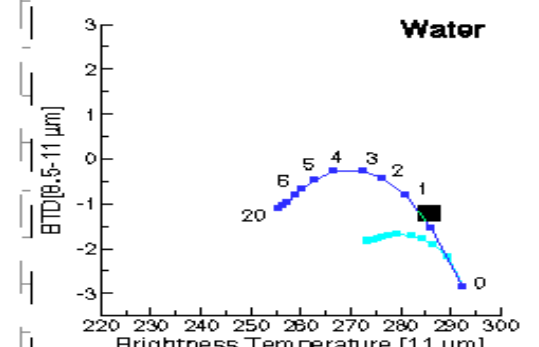
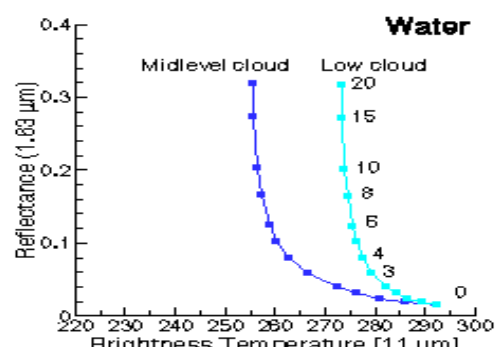
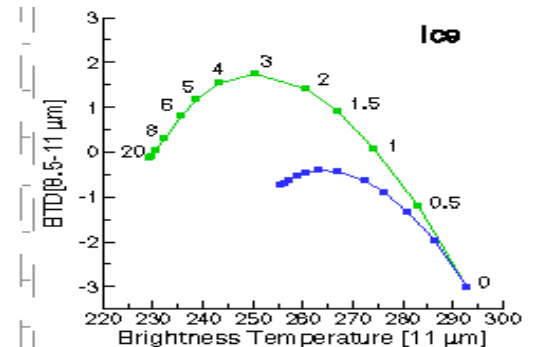
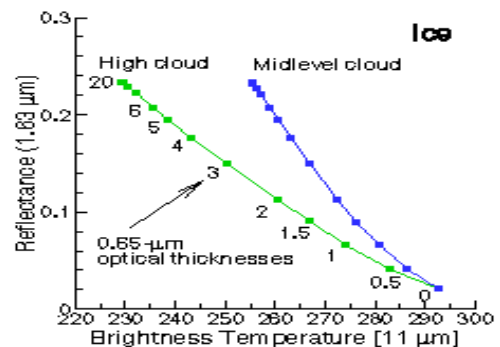
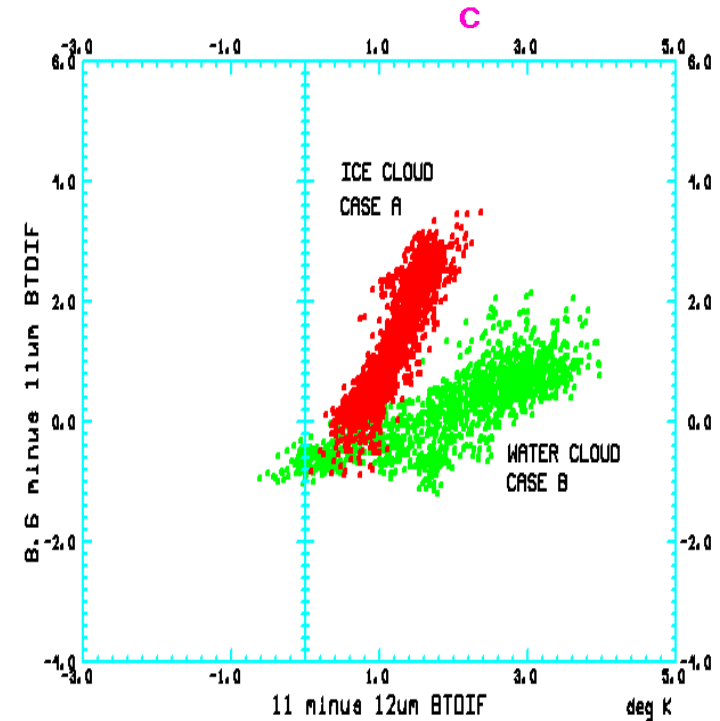
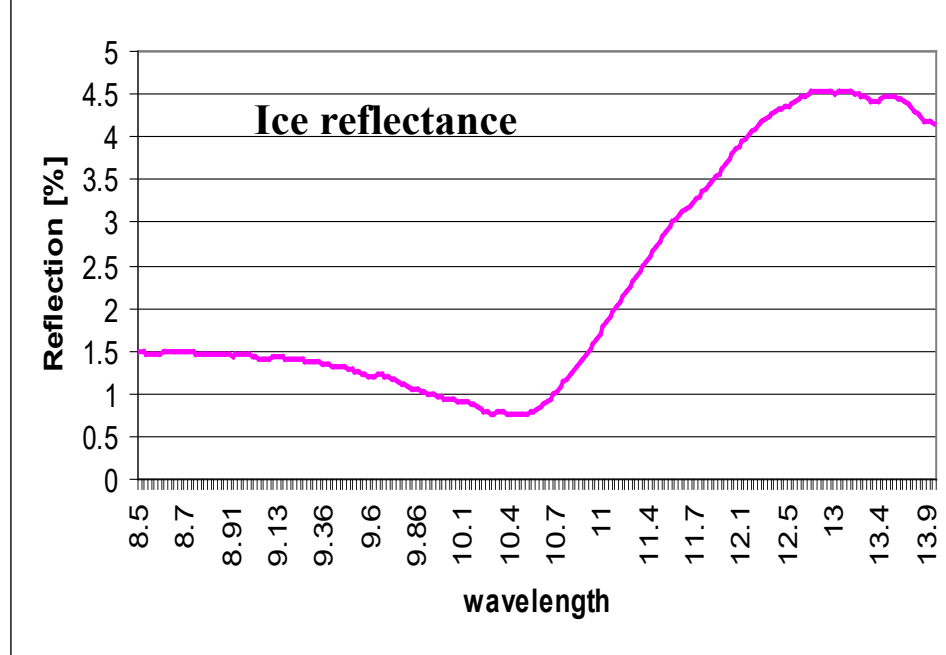
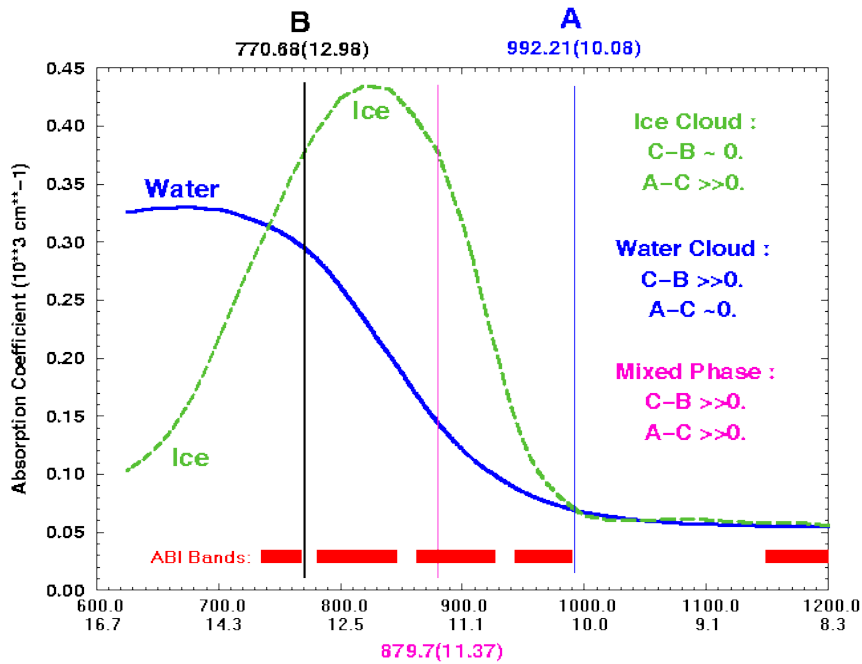
Multispectral data reveals improved information about ice / water clouds



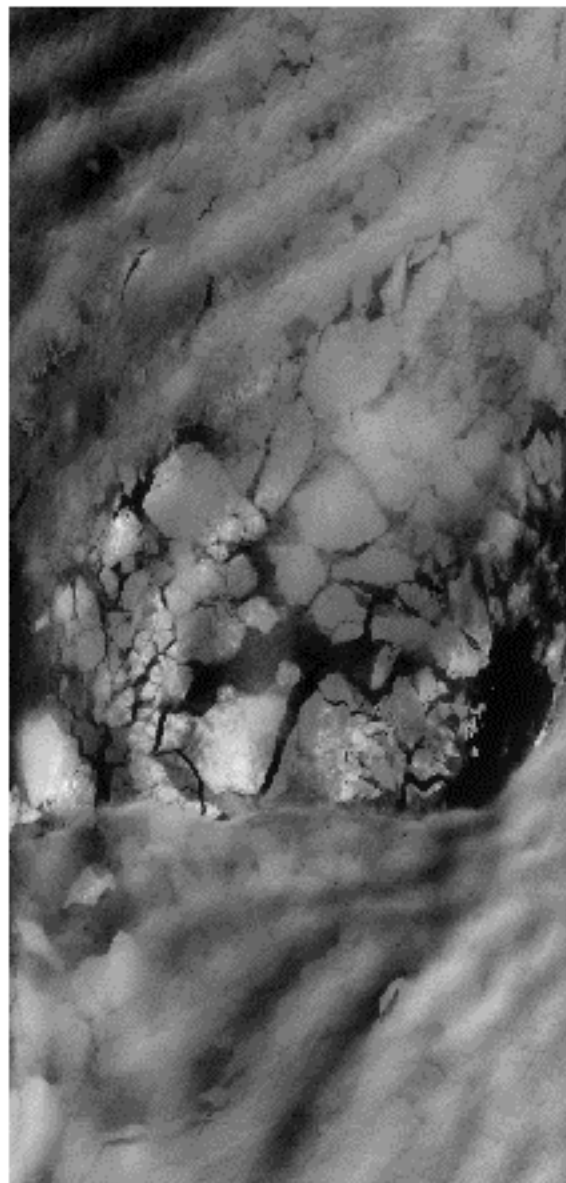
High resolution atmospheric absorption spectrum and comparative blackbody curves.







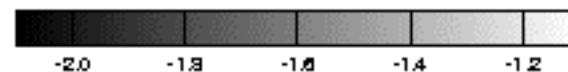
MAS 02/02/1997 18:38:31 UTC
Band 02 (0.66 micron)
Gain Corrected Counts

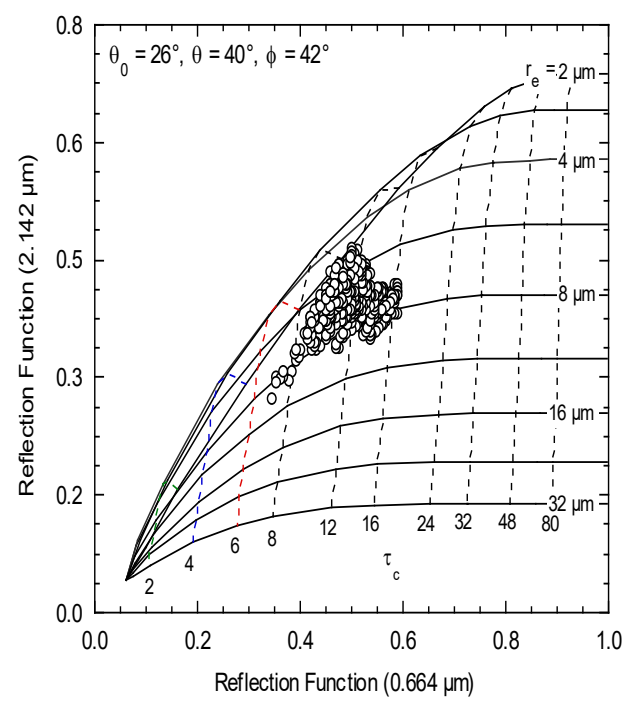
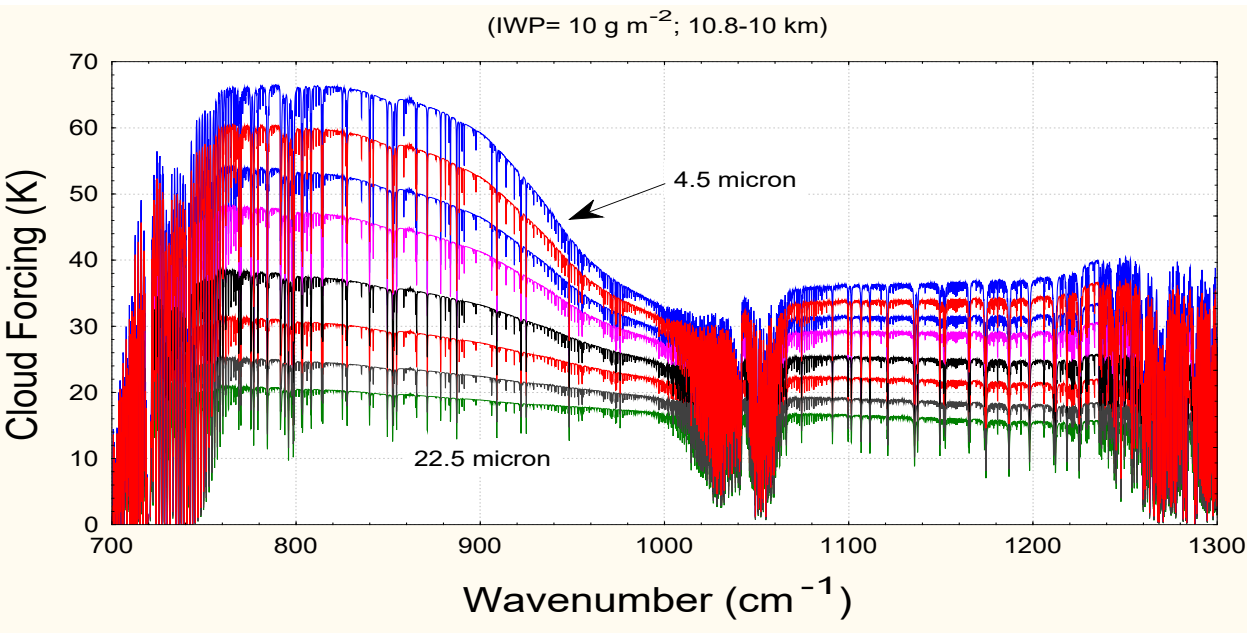
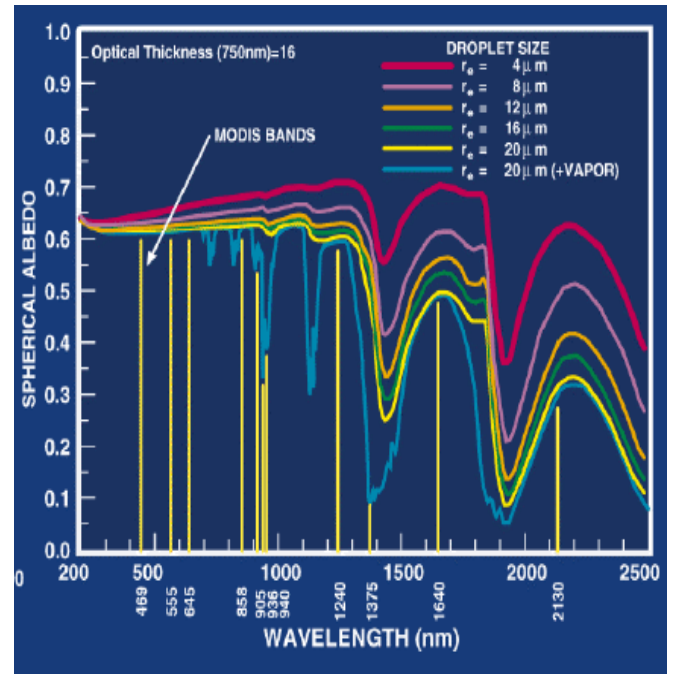
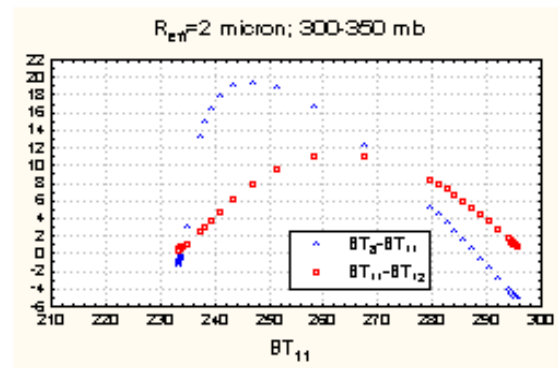
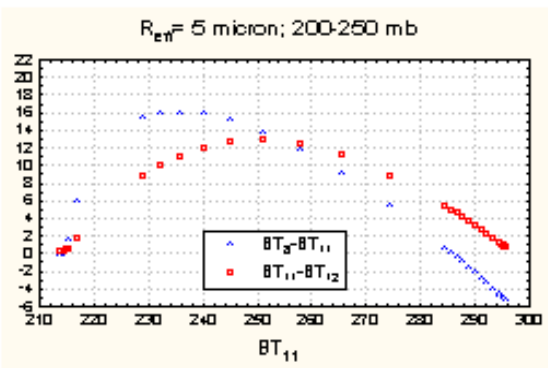
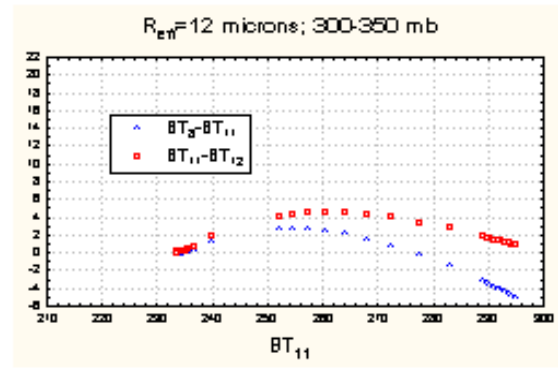
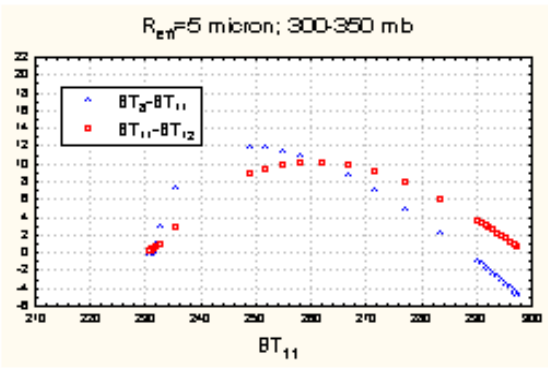


MAS 02/02/1997 18:38:31 UTC
Bands 44-45 (10.48-10.98 micron)
Brightness Temperature (Kelvin)



MAS 02/02/1997 18:38:31 UTC
Bands 42-44 (8.54-10.48 micron)
Brightness Temperature (Kelvin)





Using wavenumbers

$$\text{Planck's Law} \quad B(\nu, T) = \frac{c_1 \nu^3}{[e^{c_2 \nu / T} - 1]} \quad (\text{mW/m}^2/\text{ster/cm}^{-1})$$

where $\nu = \#$ wavelengths in one centimeter (cm^{-1})

$T =$ temperature of emitting surface (deg K)

$c_1 = 1.191044 \times 10^{-5}$ ($\text{mW/m}^2/\text{ster/cm}^{-4}$)

$c_2 = 1.438769$ (cm deg K)

$$\text{Wien's Law} \quad dB(\nu_{\text{max}}, T) / dT = 0 \text{ where } \nu_{\text{max}} = 1.95T$$

indicates peak of Planck function curve shifts to shorter wavelengths (greater wavenumbers) with temperature increase.

$$\text{Stefan-Boltzmann Law} \quad E = \pi \int_0^{\infty} B(\nu, T) d\nu = \sigma T^4, \text{ where } \sigma = 5.67 \times 10^{-8} \text{ W/m}^2/\text{deg}^4.$$

states that irradiance of a black body (area under Planck curve) is proportional to T^4 .

Brightness Temperature

$$T = \frac{c_2 \nu}{[\ln(\frac{c_1 \nu^3}{B_\nu} + 1)]}$$
 is determined by inverting Planck function

Radiative Transfer Equation

When reflection from the earth surface is also considered, the RTE for infrared radiation can be written

$$I_{\lambda} = \varepsilon_{\lambda}^{\text{sfc}} B_{\lambda}(T_s) \tau_{\lambda}(p_s) + \int_{p_s}^0 B_{\lambda}(T(p)) F_{\lambda}(p) [d\tau_{\lambda}(p) / dp] dp$$

where

$$F_{\lambda}(p) = \{ 1 + (1 - \varepsilon_{\lambda}) [\tau_{\lambda}(p_s) / \tau_{\lambda}(p)]^2 \}$$

The first term is the spectral radiance emitted by the surface and attenuated by the atmosphere, often called the boundary term and the second term is the spectral radiance emitted to space by the atmosphere directly or by reflection from the earth surface.

The atmospheric contribution is the weighted sum of the Planck radiance contribution from each layer, where the weighting function is $[d\tau_{\lambda}(p) / dp]$. This weighting function is an indication of where in the atmosphere the majority of the radiation for a given spectral band comes from.

RTE in Cloudy Conditions

$$I_{\lambda} = \eta I_{\lambda}^{\text{cd}} + (1 - \eta) I_{\lambda}^{\text{c}} \quad \text{where cd = cloud, c = clear, } \eta = \text{cloud fraction}$$

$$I_{\lambda}^{\text{c}} = B_{\lambda}(T_s) \tau_{\lambda}(p_s) + \int_{p_s}^0 B_{\lambda}(T(p)) d\tau_{\lambda} .$$

$$I_{\lambda}^{\text{cd}} = (1 - \varepsilon_{\lambda}) B_{\lambda}(T_s) \tau_{\lambda}(p_s) + (1 - \varepsilon_{\lambda}) \int_{p_s}^{p_c} B_{\lambda}(T(p)) d\tau_{\lambda} \\ + \varepsilon_{\lambda} B_{\lambda}(T(p_c)) \tau_{\lambda}(p_c) + \int_{p_c}^0 B_{\lambda}(T(p)) d\tau_{\lambda}$$

ε_{λ} is emittance of cloud. First two terms are from below cloud, third term is cloud contribution, and fourth term is from above cloud. After rearranging

$$I_{\lambda} - I_{\lambda}^{\text{c}} = \eta \varepsilon_{\lambda} \int_{p_s}^{p_c} \tau(p) \frac{dB_{\lambda}}{dp} dp .$$

Techniques for dealing with clouds fall into three categories: (a) searching for cloudless fields of view, (b) specifying cloud top pressure and sounding down to cloud level as in the cloudless case, and (c) employing adjacent fields of view to determine clear sky signal from partly cloudy observations.

Cloud Properties

RTE for cloudy conditions indicates dependence of cloud forcing (observed minus clear sky radiance) on cloud amount ($\eta\epsilon_\lambda$) and cloud top pressure (p_c)

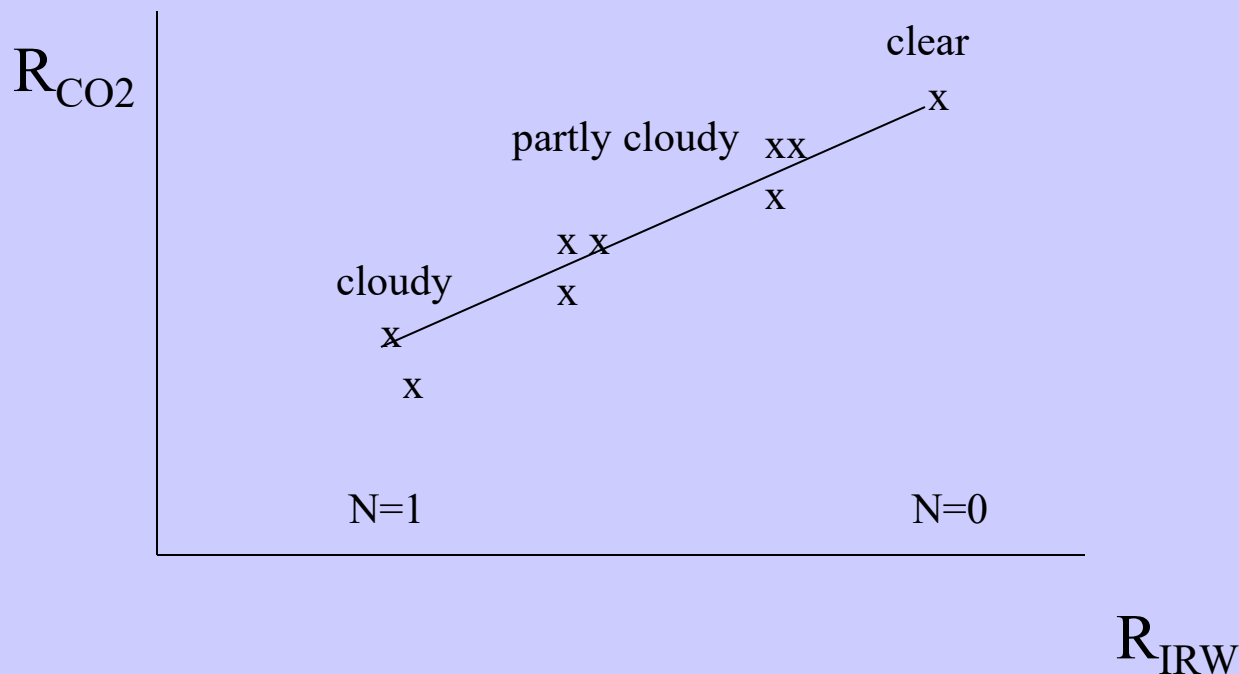
$$(I_\lambda - I_\lambda^{\text{clr}}) = \eta\epsilon_\lambda \int_{p_s}^{p_c} \tau_\lambda dB_\lambda .$$

Higher colder cloud or greater cloud amount produces greater cloud forcing; dense low cloud can be confused for high thin cloud. Two unknowns require two equations.

p_c can be inferred from radiance measurements in two spectral bands where cloud emissivity is the same. $\eta\epsilon_\lambda$ is derived from the infrared window, once p_c is known. This is the essence of the CO2 slicing technique.

Cloud Clearing

For a single layer of clouds, radiances in one spectral band vary linearly with those of another as cloud amount varies from one field of view (fov) to another



Clear radiances can be inferred by extrapolating to cloud free conditions.

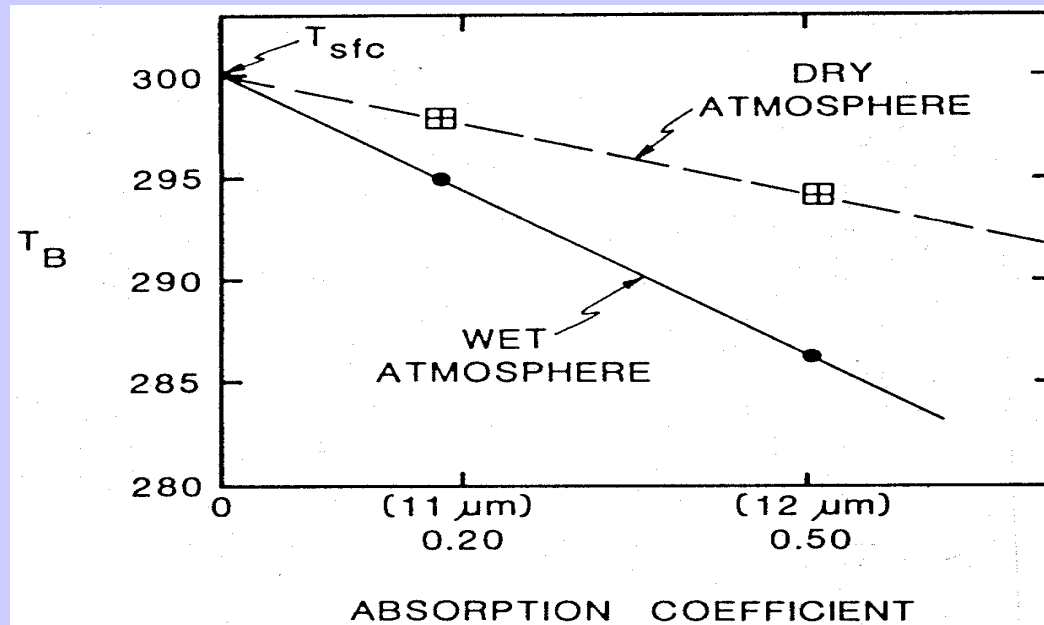
Moisture

Moisture attenuation in atmospheric windows varies linearly with optical depth.

$$\tau_\lambda = e^{-k_\lambda u} \approx 1 - k_\lambda u$$

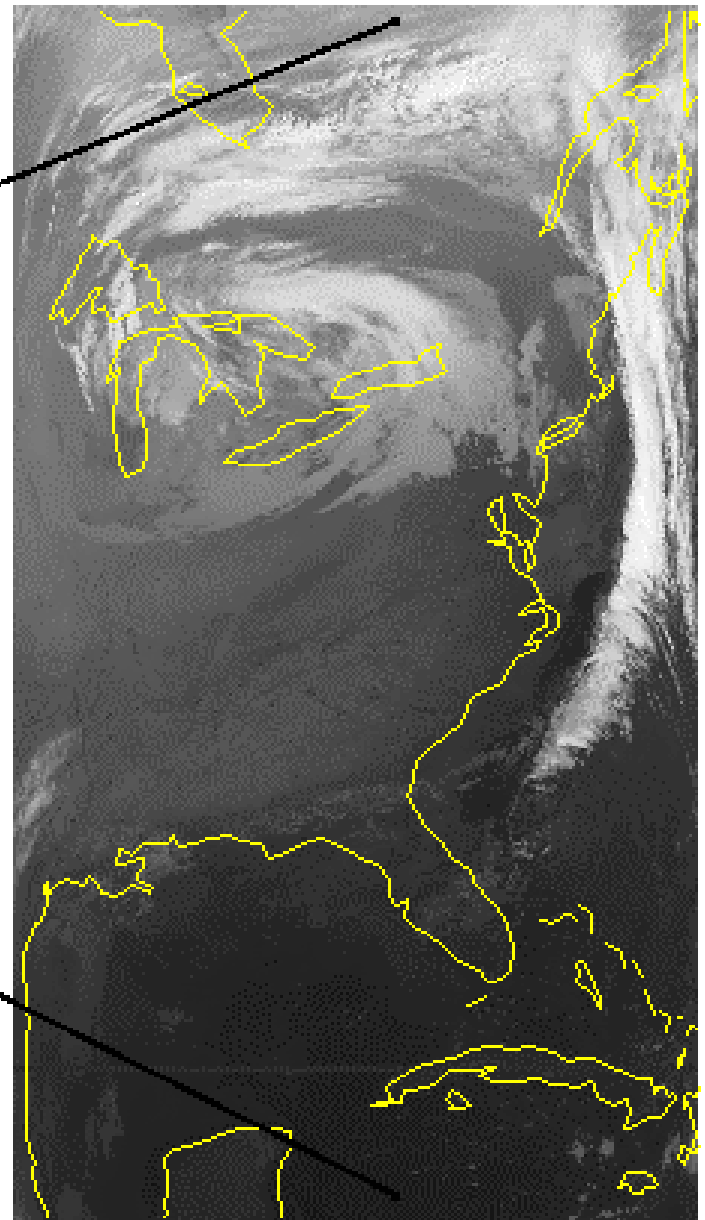
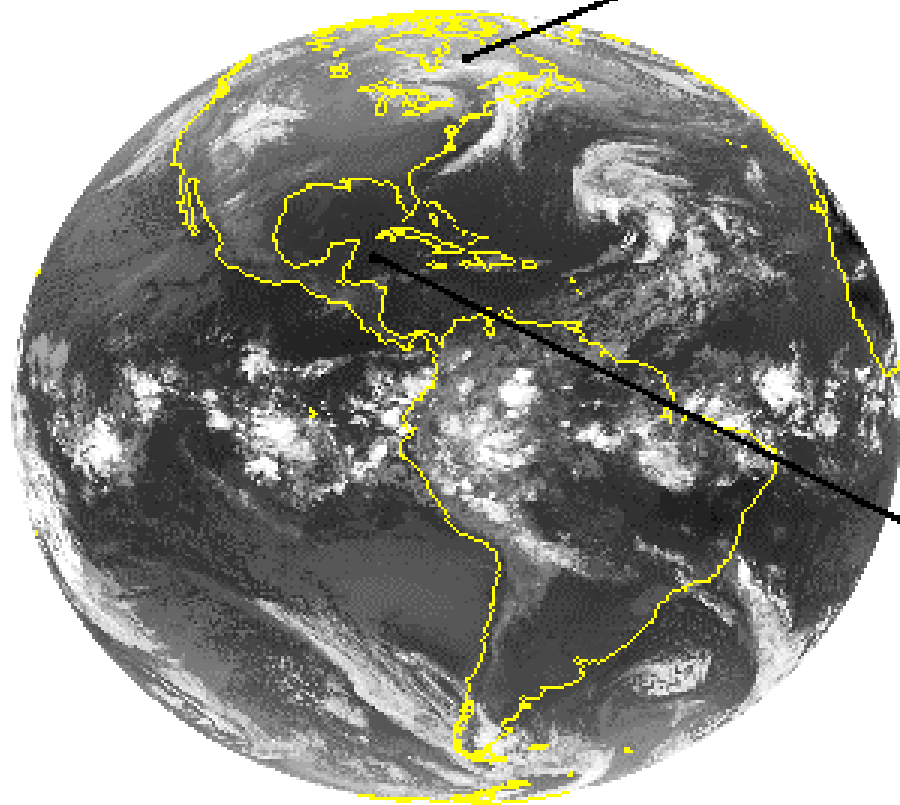
For same atmosphere, deviation of brightness temperature from surface temperature is a linear function of absorbing power. Thus moisture corrected SST can be inferred by using split window measurements and extrapolating to zero k_λ .

Moisture content of atmosphere inferred from slope of linear relation.





GEO vs LEO



Comparison of geostationary (geo) and low earth orbiting (leo) satellite capabilities

Geo

observes process itself
(motion and targets of opportunity)

repeat coverage in minutes
($\Delta t \leq 30$ minutes)

full earth disk only

best viewing of tropics

same viewing angle

differing solar illumination

visible, IR imager
(1, 4 km resolution)

one visible band

IR only sounder
(8 km resolution)

filter radiometer

diffraction more than leo

Leo

observes effects of process

repeat coverage twice daily
($\Delta t = 12$ hours)

global coverage

best viewing of poles

varying viewing angle

same solar illumination

visible, IR imager
(1, 1 km resolution)

multispectral in visible
(veggie index)

IR and microwave sounder
(17, 50 km resolution)

filter radiometer,
interferometer, and
grating spectrometer

diffraction less than geo

Email comments on course to

paoloa@ssec.wisc.edu

Best feature

Worst feature

Suggestions to improve