

Monteponi, Jglesias, Jtaly 21-27 Sep 2008

Cons</mark>orzio per l'Università del Sulcis Iglesiente



Remote Sensing Seminar 2008



Lectures in Monteponi 21 – 27 September 2008

> Paul Menzel Paolo Antonelli UW/CIMSS

Jochem Kerkmann Hans Peter Roesli EUMETSAT





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Schools on remote sensing have been held in

Bologna, Italy (Sep 01), Rome, Italy (Jun 02), Maratea, Italy (May 03), Bertinoro, Italy (Jul 04), Cape Town, South Africa (Apr 06), Krakow, Poland (May 06), Ostuni, Italy (Jun 06) Benevento, Italy (Jun07)









Nominal Agenda				
Su pm	Ice breaker	Introduction of students and teachers		
Mo am	Introduction	Discussion of Agenda (All)		
	Lecture 1	Radiative Transfer in the Earth Atmosphere (Menzel)		
	Homework			
Mo pm	Lab 1	Lab on Planck Function and Intro to Hydra (Antonelli)		
Tu am	Lecture 2	Spectral signatures from Earth's surface & atmosphere (Menzel)		
Tu pm	Lab 2	Interrogating MODIS Data (Menzel)		
We am	Lecture 3a	Investigations with leo and geo imagers (Antonelli)		
	Lecture 3b	Tri-spectral window applications with SEVIRI (Kerkmann)		
	Quiz 1			
We pm	Lab 3	AMSU and SEVIRI looking at clouds (Antonelli)		
Th am	Lecture 4	Hyperspectral resolution (Antonelli)		
Th pm	Lab 4	Exploring AIRS/IASI data (Antonelli)		
Fr am	Lab 5	Student Projects		
Fr pm	Lab	Student Presentations of their Investigations (All)		
	Lecture 5	Visualization expectations with McIDAS-V (Roesli)		
	Homework Review			
Sa am	<i>Lecture</i> 6	Summary (Menzel)		
	Quiz 2			
	Concluding Cerem	ony		

am sessions are from 9:00 am to 12:00 noon and pm sessions are from 1:30 pm to 5:30 pm



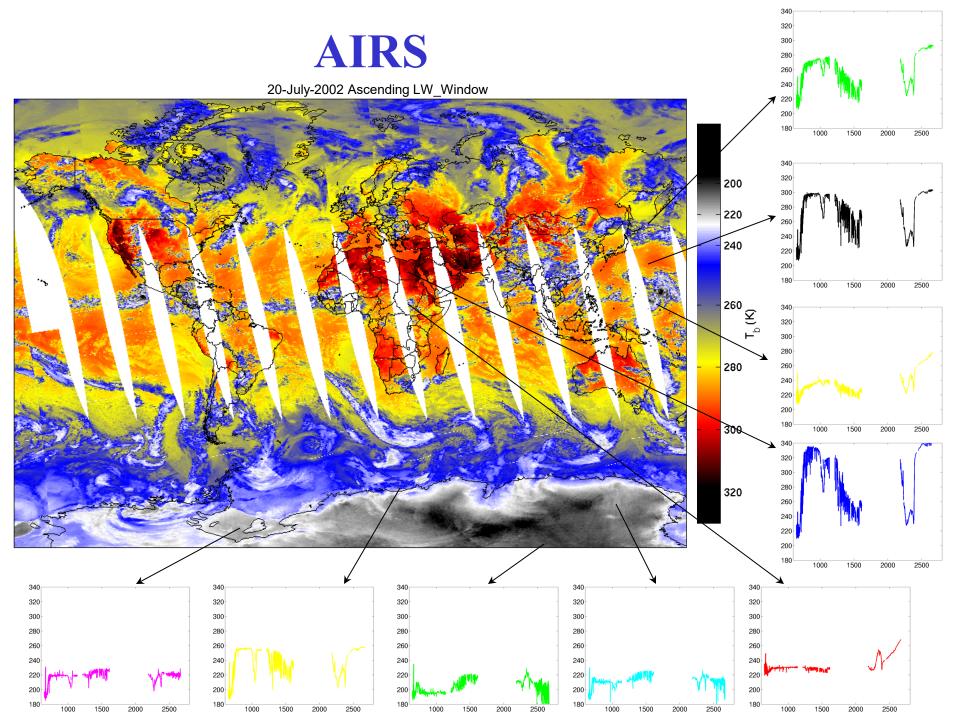


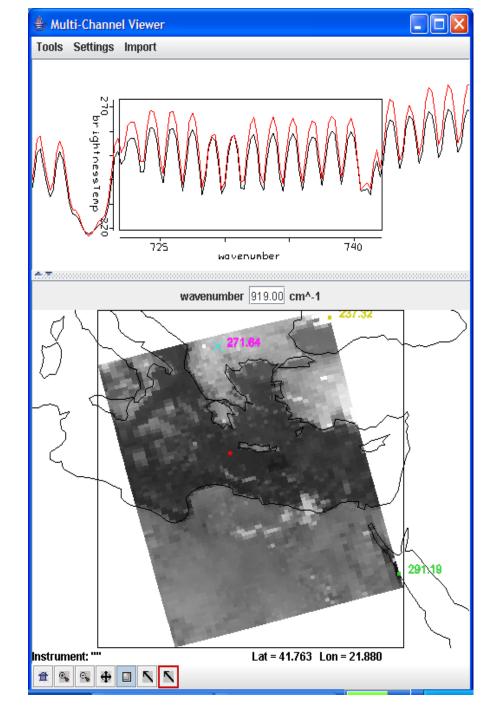




SEVIRI

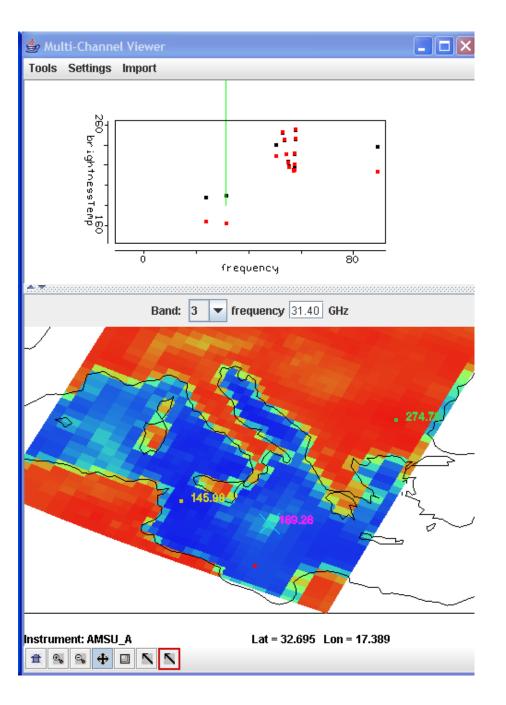
HRV	Broadband
VIS0.6	0.635
VIS0.8	0.81
NIR1.6	1.64
IR3.9	3.90
WV6.2	6.25
WV7.3	7.35
IR8.7	8.70
IR9.7	9.66
IR10.8	10.80
IR12.0	12.00
IR13.4	13.40





IASI



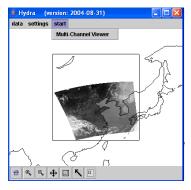


Hyperspectral viewer for Development of Research Applications - HYDRA MODIS,

MSG, GOES

Freely available software For researchers and educators Computer platform independent Extendable to more sensors and applications **Based** in VisAD (Visualization for Algorithm Development) Uses Jython (Java implementation of Python) runs on most machines 512MB main memory & 32MB graphics card suggested on-going development effort

Rink et al. BAMS 2007



CALIPSO

Developed at CIMSS by Tom Rink Tom Whittaker Kevin Baggett

AIRS, IASI,

AMSU,

With guidance from Paolo Antonelli Liam Gumley Paul Menzel Allen Huang



http://www.ssec.wisc.edu/hydra/

Applications with Meteorological Satellites

ftp://ftp.ssec.wisc.edu/pub/menzel/

2-1				
2-1				
2-2				
2-5				
CHAPTER 3 - ABSORPTION, EMISSION, REFLECTION, AND SCATTERING				
3-1				
3-1				
3-2				
3-2				
3-6				
3-7				
3-9				
3-11				
3-11				
3-11				
3-12				
3-13				
3-14				
3-14				
CHAPTER 5 - THE RADIATIVE TRANSFER EQUATION (RTE)				
5-1				
5-28				
CHAPTER 12 - RADIOMETER DESIGN CONSIDERATIONS				
12-1				

Using wavelengths

 $c_2/\lambda T$

Planck's Law

 $B(\lambda,T) = c_1 / \lambda^5 / [e -1] \quad (mW/m^2/ster/cm)$

where

λ = wavelengths in cm T = temperature of emitting surface (deg K) $c_1 = 1.191044 \times 10-5 \text{ (mW/m}^2/\text{ster/cm}^{-4})$ $c_2 = 1.438769 \text{ (cm deg K)}$

Wien's Law $dB(\lambda_{max},T) / d\lambda = 0$ where $\lambda(max) = .2897/T$ indicates peak of Planck function curve shifts to shorter wavelengths (greater wavenumbers)with temperature increase. Note $B(\lambda_{max},T) \sim T^5$.

Stefan-Boltzmann Law $E = \pi \int_{0}^{\infty} B(\lambda,T) d\lambda = \sigma T^4$, where $\sigma = 5.67 \text{ x } 10-8 \text{ W/m2/deg4}$.

states that irradiance of a black body (area under Planck curve) is proportional to T⁴.

Brightness Temperature

 $T = c_2 / \left[\lambda \ln(\frac{c_1}{-+1}) \right]$ is determined by inverting Planck function $\lambda^5 B_{\lambda}$

In standard notation,

$$I_{\lambda} = \epsilon_{\lambda}^{sfc} B_{\lambda}(T(p_s)) \tau_{\lambda}(p_s) + \sum \epsilon_{\lambda}(\Delta p) B_{\lambda}(T(p)) \tau_{\lambda}(p)$$

$$p$$

The emissivity of an infinitesimal layer of the atmosphere at pressure p is equal to the absorptance (one minus the transmittance of the layer). Consequently,

$$\epsilon_{\lambda}(\Delta p) \ \tau_{\lambda}(p) \ = \ [1 \ \text{-} \ \tau_{\lambda}(\Delta p)] \ \tau_{\lambda}(p)$$

Since transmittance is an exponential function of depth of absorbing constituent,

Therefore

$$\epsilon_{\lambda}(\Delta p) \; \tau_{\lambda}(p) \; = \; \tau_{\lambda}(p) \; \text{-} \; \tau_{\lambda}(p + \Delta p) \; = \; \text{-} \; \Delta \tau_{\lambda}(p) \; .$$

So we can write

$$\begin{split} I_\lambda \ = \ \epsilon_\lambda^{\ sfc} \ B_\lambda(T(p_s)) \ \tau_\lambda(p_s) \ - \ \Sigma \ \ B_\lambda(T(p)) \ \Delta \tau_\lambda(p) \ . \\ p \end{split}$$
 which when written in integral form reads

$$I_{\lambda} = \epsilon_{\lambda}{}^{sfc} B_{\lambda}(T(p_s)) \tau_{\lambda}(p_s) - \int_{0}^{p_s} B_{\lambda}(T(p)) \left[d\tau_{\lambda}(p) / dp \right] dp .$$

Welcome!