

Explicit

Scientific

Mathematics
Of Baker also

by

by David Ferguson

David
David

Ferguson

Mistake

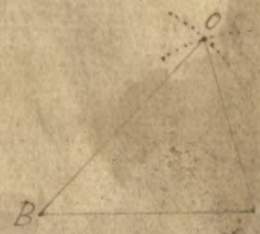
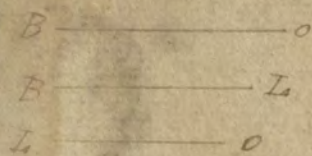
November the 1st 1780

October the 20th 1780

Geometrical Problems

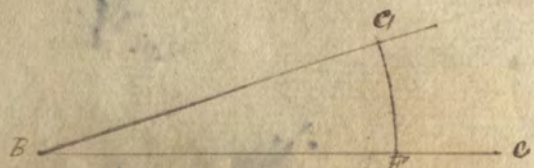
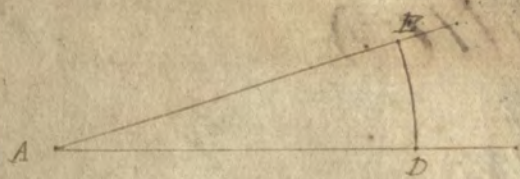
Problem 1

To make a triangle of three given right lines BC, LB, LC
which any two must be greater than the third fig 46



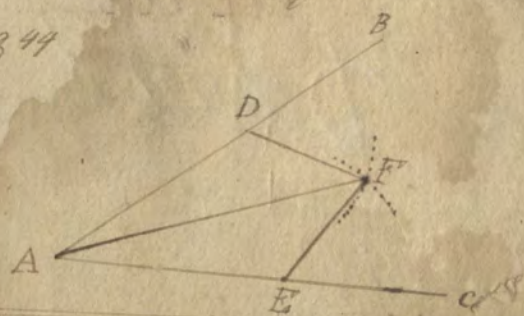
Problem 2

At a point B in a given right line BC to make an angle
equal to a given angle C fig 47



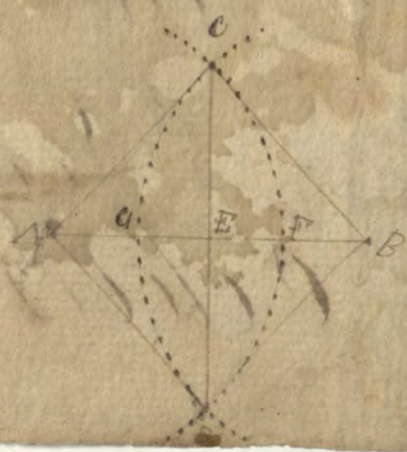
Problem 3

To bisect or divide into two equal parts any given right
lined angle BAC fig 48



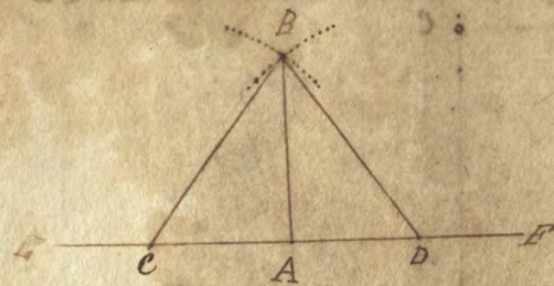
Problem 4

To bisect a right line AB fig 49



Problem 5th

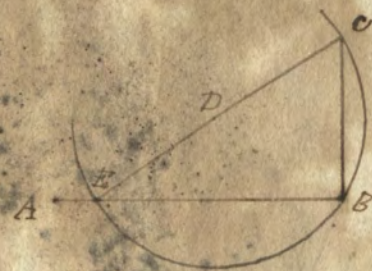
On a given point A in a right line EF to erect
fig 46th



David Ferguson

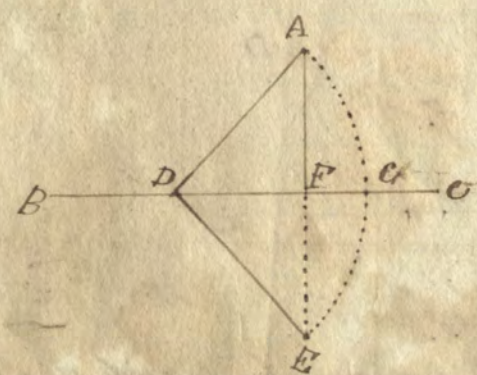
Problem 6th

To raise a perpendicular on the end B of a right line AB fig 47th



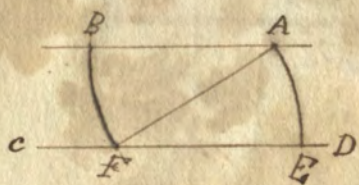
Problem 7th

From a given point A to let fall a perpendicular upon
a given line BC fig 48th



Problem 8th

Thro a given point A to draw a right line AB parallel to
a given right line CD fig 49th



Problem 7th oct 20th 1826

Upon a given line AB to describe square ABCD fig 50



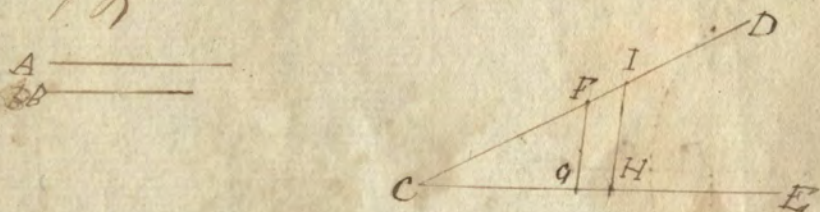
Problem 10th

To divide a given right line AB into any proposed number of equal parts fig 51



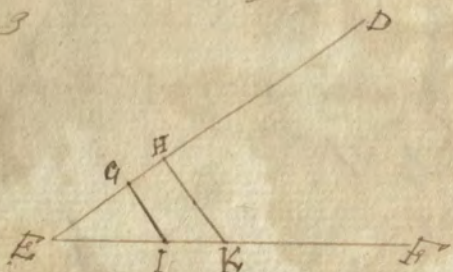
Problem 11th

To find a third proportional to two given right lines AB fig 52



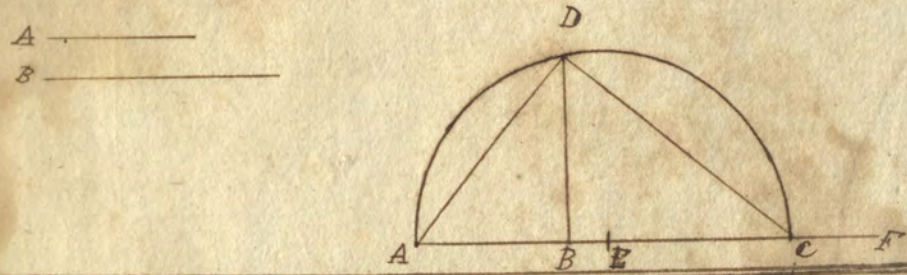
Problem 12th

Three right lines a, b, c given to find a fourth proportional fig 53



Problem 13th october the 21. 1826

Two right lines c and d given to find a mean proportional fig 54th



Problem 14th

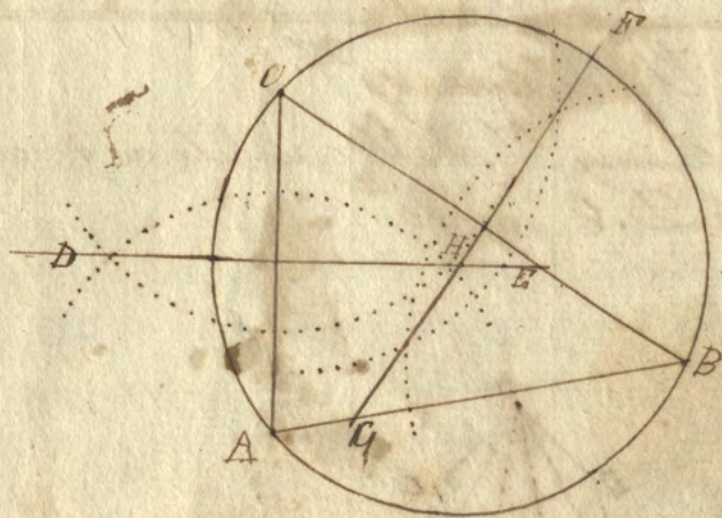
To divide a right line AB in the point E so that AE shall have the same proportion to EB as two given lines c and d have fig 55th

c _____
d _____



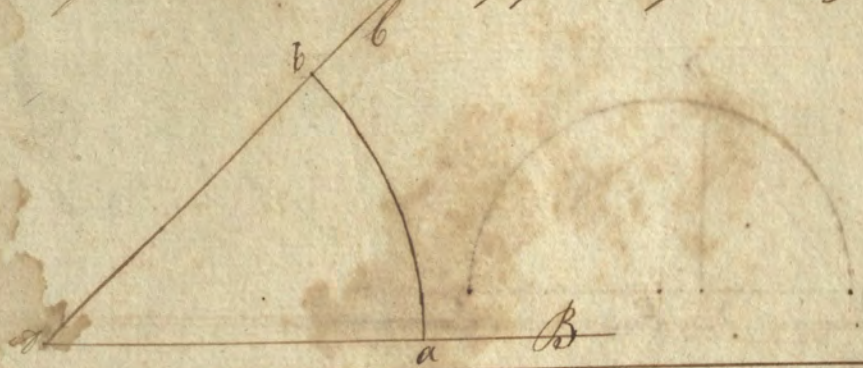
Problem 15th

To describe a circle about a triangle ABC (or which is the same thing) thro any three points a, b, c which are not situated in a right line fig 56th



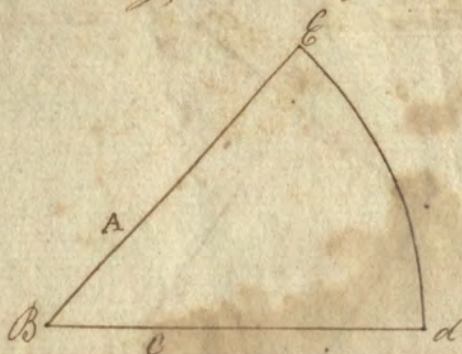
Problem 16th October the 23rd 1826

To make an angle of any number of degrees at the point *a* of the line *a.b* Suppose of 45 degrees fig 57



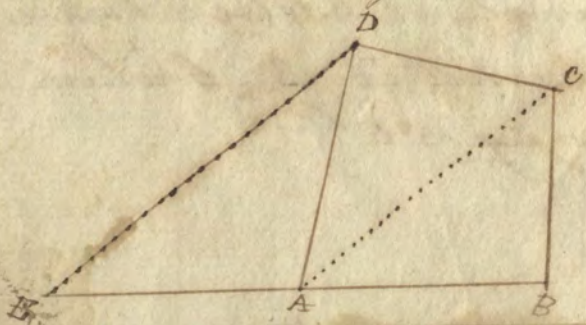
Problem 17th

To make a given angle at *B.b* fig 58



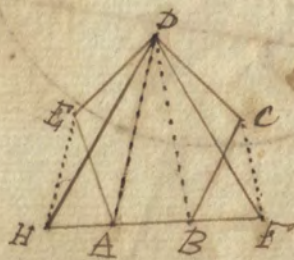
Problem 18th

To make a triangle *B.C.E* equal to a given quadrilateral figure *A.B.C.D* fig 59



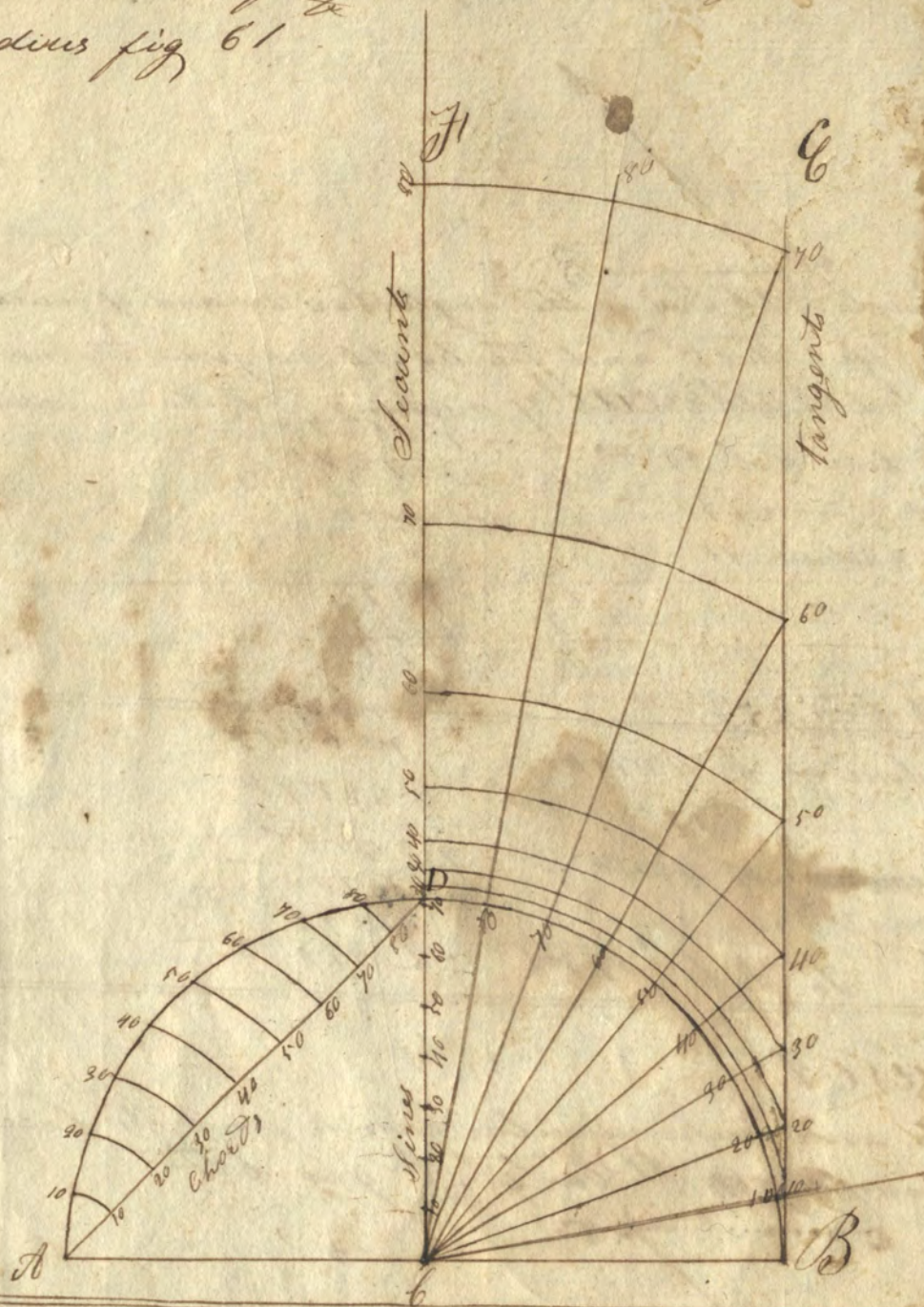
To make Problem 19th

To make a triang. *D.H.K* equal to a given five sided figure *A.B.C.D.E* fig 60



Problem 20th October the 23rd 1826

To project the lines of chords sines tangents and secants
To any radius fig 61



Rectangular Trigonometry

Case 1

The angles and hypotenuse given to find the base and perpendicular fig 64 plate 5th

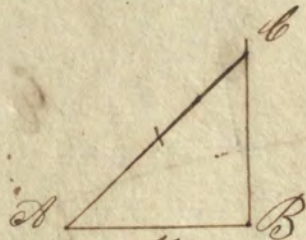
In the right angled triangl. *A.B.C* Suppose the angle *B* 45° 30' and consequently the angle *A* 44° 30' by con. 2. these 5 and *A.C* 250 parts as feet, yards, miles. & required the legs *a.b* and *b.c*

by Calculation

	As radius 90	to <i>a.c</i>	250	2.99779
	As to <i>a.b</i>	250	2.89774	Do is <i>a.b</i> 175.5078977
	So is the sine of <i>A</i> 44° 30'	9.00000		To <i>a.c</i> 172.1
	To <i>b.c</i>	181.5	2.25850	2.25850

Case 2

The base and angle given to find the perpendicular and hypotenuse



In the triangle ABC there is the angle A 47.20 and of course the angle C 42.40 by corollary and the leg AB 190 given to find AC and BC geometrically making AB the radius

As the sine of 47.20	9.86879
As to AB 190	2.27875
So is the radius 90	10.00000
	12.29875
	9.86879
	2.42996

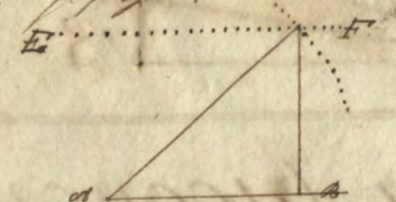
To AC = 257

As the sine of 47.20	9.86879
As to AB 190	2.27875
So is the sine of 42.20	9.82830
	12.10705
	9.86879
	2.23826

To BC = 173.1

Case 3

The angle and perpendicular given to find the base and hypotenuse



In the triangle ABC there is the angle A 40 and consequently the angle C 50 with BC 170 given to find AB and AC

As the sine of the angle A 40	9.80807
As to BC 170	2.23045
So is the Radius 90	10.00000
	12.23045
	9.80807
	2.42238

To AB = 224.4

As radius 90	10.00000
As to AC 264.4	2.42226
So is the sine of C 50	9.88425
	12.30651

To AC = 222.5

Case 4th

The base and hypotenuse given to find the angles and perpendicular



By corollary the angle A 36.52 and the angle C 53.08

In the triangle ABC there is given AB 300 and AC 500 the angles A and C and the perpendicular BC are required			
As AB 500	2.69897	As radius 90	10.00000
As to radius 90	11.00000	So to BC	500.2.69897
So is AB 300	2.47712	So is the sine of C 53.08	9.90301
	12.47712		12.60198
	2.69897		10.00000
To the sine of 36.52	9.7875	To BC 400	2.60198

Case 5th

The perpendicular and hypotenuse given to find the angles and base

In the triangle ABC there is BC 300 and AC 340 given to find the angles A and C and the base AB

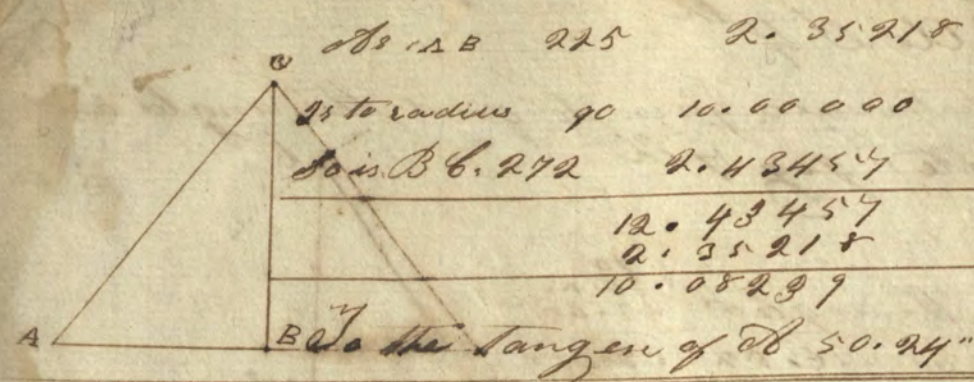
As AB 340	2.56820	As R 90	10.00000
As to radius 90	10.00000	So to BC 300	2.48542
So is BC 300	2.48542	So is the sine of C	9.91452
	12.48542		145.48
	2.56820		180
To the sine of 35.45	9.7875		145.48
As Radius 90	10.00000		145.48
As to AB 340	2.56820		145.48
So is the sine of C 34.12	9.44980		145.48
	12.31800		145.48

Case 6th

The base and perpendicular given to find the angles and hypotenuse

In the triangle ABC there is AB 225 and BC 272 given to find the angles A and C and the hypotenuse AC

As AB 225	2.35222	As R 90	10.00000
As to radius 90	10.00000	So to BC 272	2.43750
So is the sine of C	9.88425		2.43750
	12.30651		2.43750



As radius 90 10.00000
 So to ΔB 225 2.35215
 So is the secant of Δ 50.94" 10.19557
 So Δ of 553 2.54775

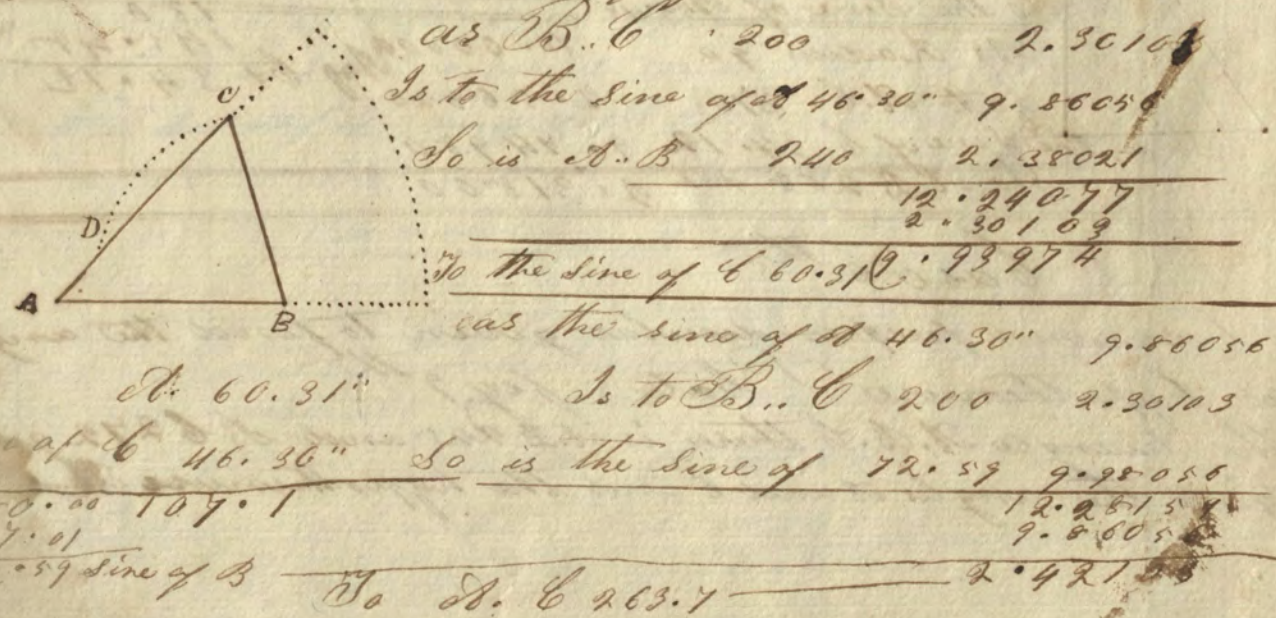
By the Square root

272	225
272	225
544	1125
1904	450
544	450
13784	50625
	73984
	124609
	353 ΔB

Square of ΔB
 2 124609 353 ΔB
 2 2 346
 65 325
 403 2109
 2109

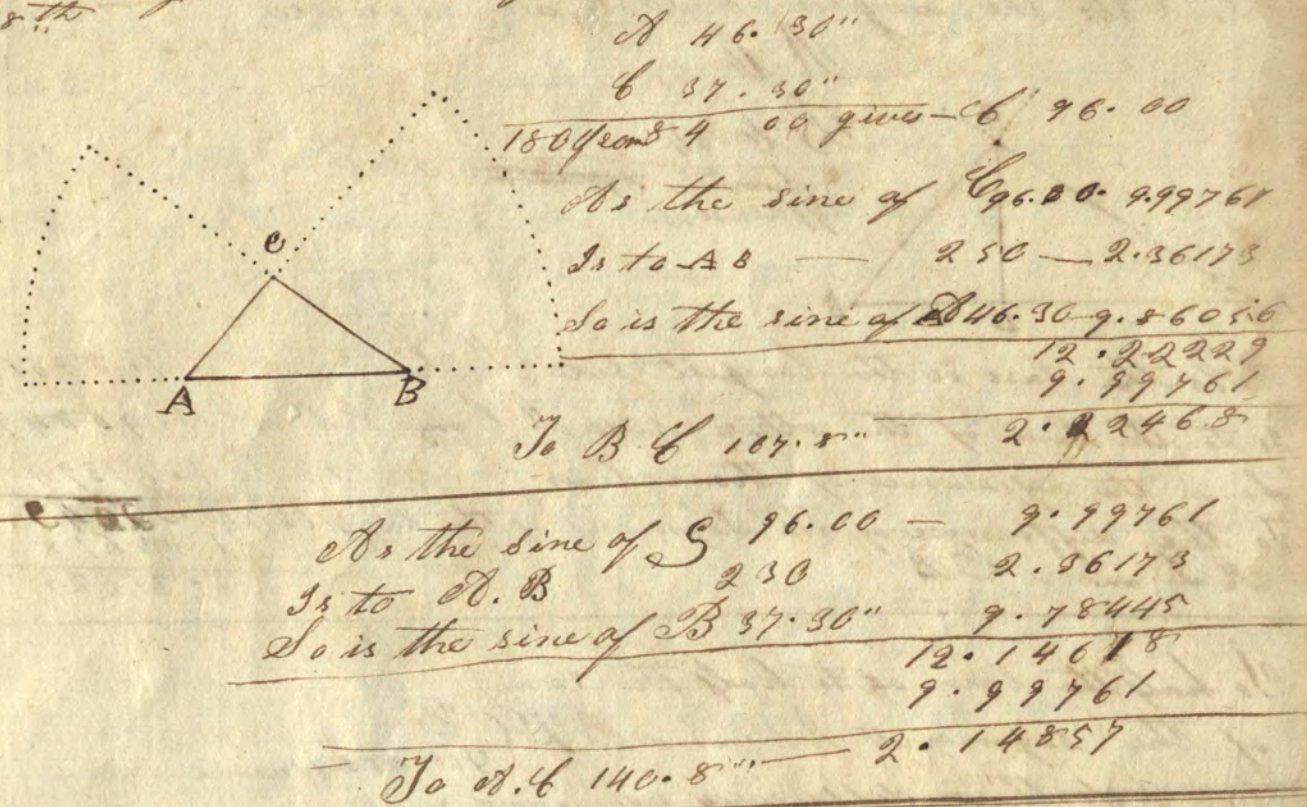
Oblique angular trigonometry

Two sides and an angle opposite to one of them given to find the other angles and side
 In the triangle $A.B.C$ there is given ΔB 240 the angle Δ 46.30" and $B.C$ 200 to find the angle C being acute the angle B and the side $A.C$ 4944 Plate 5th



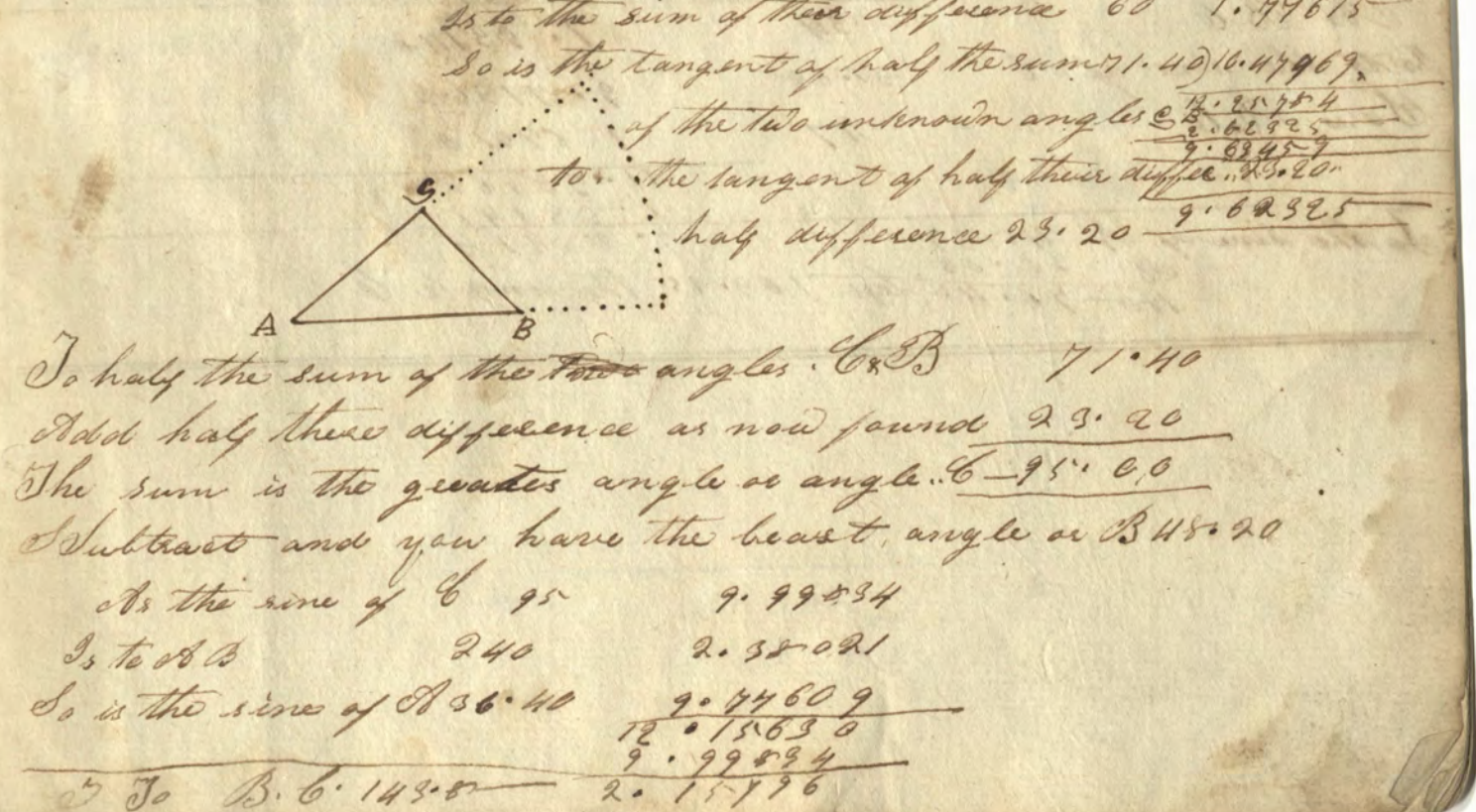
Case 2^d October the 25th 1826.

Two angles and a side given to find the other sides
 In the triangle $A.B.C$ there is the angle Δ 46.30" $\Delta.B$ 250 and the angle B 37.30" given to find the $\Delta.C$ and $B.C$ fig 48th



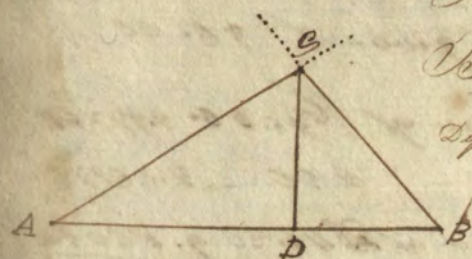
Case 3^d fig 49th

Two sides and a contained angle given to find the other angle and side
 In the triangle $A.B.C$ there is $\Delta.B$ 240 the angle Δ 36.00" and $\Delta.C$ 150 given to find the angles B and C and the side $B.C$ if a the sum of the two sides $\Delta.B$ & $\Delta.C$ 420 2.62325



Case 4th

The sides given to find the angles fig 50th
 In the triangle A.B.C there is given A.B 64. A.C 47
 B.C 34: the angles of A.B.C are required



A.C 47
 B.C 34
 Sum 81
 Difference 13

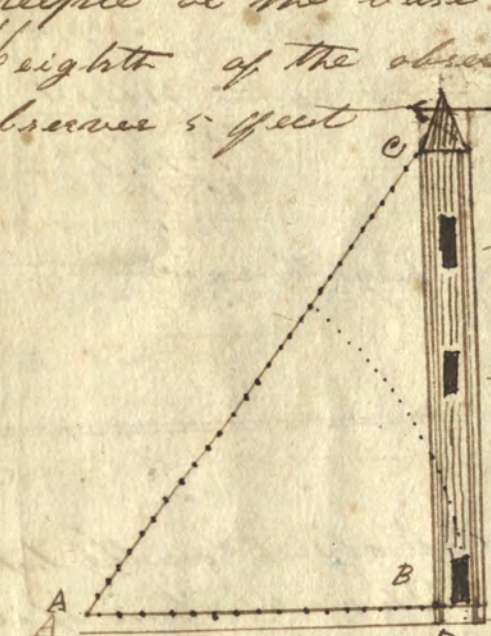
As the base or the longest side A.B 64 . . . 1.80618
 So to the sum of the other sides A.C and B.C 81 1.90849
 So is the difference of those sides 13 1.11394
 To the difference of the segments of the base 16.4 ~~1.50618~~
 A.D and D.B 1.21625

To half the base or to half the sum of the segments A.D and D.B } 32
 As to half these difference now found 6.2
 Their sum will be the greatest segment 40.28
 Subtract and their difference will be the least segment D.B } 23.74

As A.D 40.28 1.60455
 So to Radius 90 10.00000
 So is A.C 47 1.64210
 11.64655
 To the secant of A 31.08 1.60455
 10.06755
 As B.C 34 1.53148
 So to the sine of A 31.08 9.41352
 So is A.C 47 1.64210
 11.38562
 1.53148
 To the sine of B 45.37 9.54114
 31.08
 180 - 76.45 less 103.55 the angle C

Case 1 Of heights

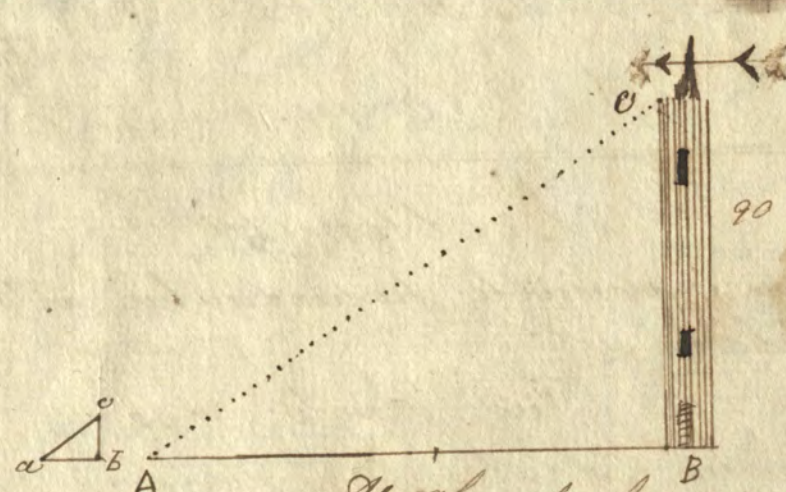
Plate 6th Fig 19th Problem 1st
 To find the height of a perpendicular object above station which is on an horizontal plain of Steeple The angle of altitude 53 degrees Distance from the observer to the foot of the Steeple or the base 25 feet



As the sine of 53 9.90235
 So to the sine of 37 9.77946
 11.53177
 As the sum of 6.47 9.77946
 So to A.B 25 1.92942
 B.C 112.8
 Add D.B 117.5 or 118 the height of the Steeple required

Case 2

Plate 5th Fig 20th
 To find the height of a perpendicular object on an horizontal plain by having the length of the shadow A.B the length of the shadow of the staff 15 feet B.C the length of the staff 10 feet A.C the length of the shadow of the steeple or object 135 feet

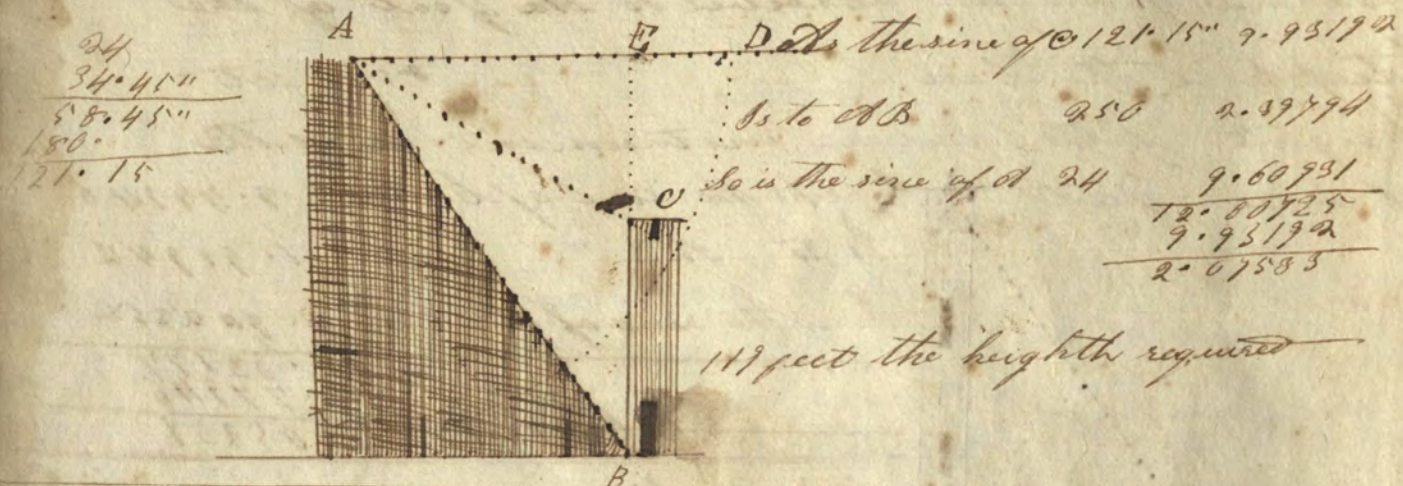


As ab ab cb AB
 As 15 10 135
 15 135 135 the Steeples
 135
 2 height required

Problem 3 October the 26th 1826

To take the altitude of a perpendicular object at the foot of a hill from the hills side

Angle to the foot of the object 55.15" Angle to the top of it 31.15" Distance to the foot of it 250 feet



Problem the 4th

To take the altitude of a perpendicular object on the top of a hill at one station when the top and bottom of it can be seen from the foot of the hill

given { Angle to the bottom 131.30"
Angle to the top 67.00"
Dist to the foot of the object 136 feet
Required the height of the object
The angle A.C.D. the complement of $\angle C$ 23.00" $\angle A$ B the difference between the two given angles 13.30" occur



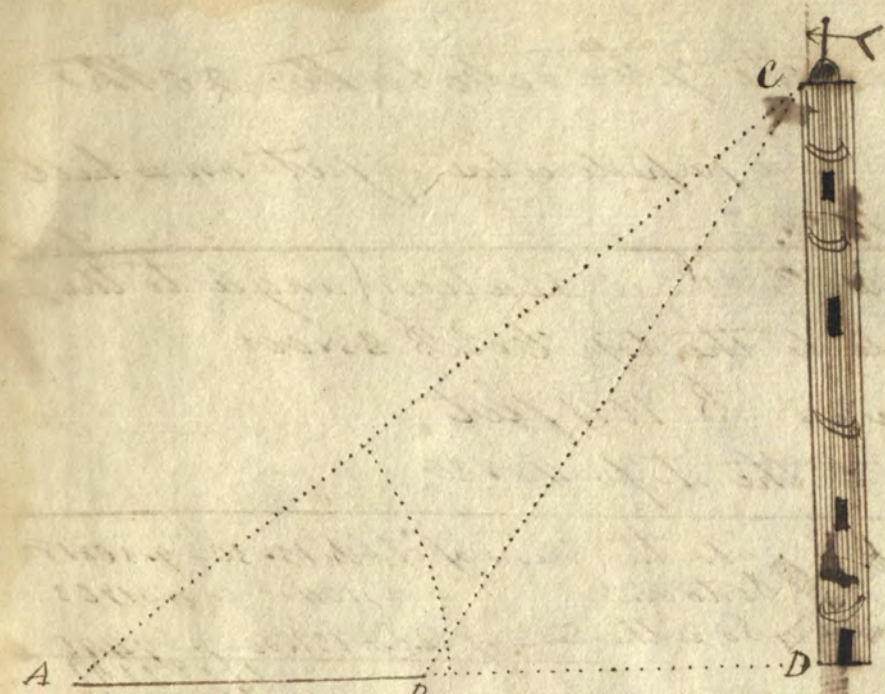
As the sine of $\angle C$ 23	9.59888
Is to CB	136
So is the sine of $\angle A$ 13.30	9.50148
	<u>11.83502</u>
	9.59888
	<u>2.04314</u>

To B.C. 110.5 or thereabouts

Problem 5th

To take an inaccessible perpendicular altitude on an horizontal plane

given { First angle 55.00"
Stationary distance 87 feet
Second angle 37.00"
The height of the tower B.D. is required



As the sine of $\angle C$ B	18.00	9.48998
Is to A.B	87	1.93952
So is the sine of $\angle A$	37	9.44946
		<u>14.4878</u>
		9.48998
		<u>2.22700</u>

Is to B.C. 169.4

As radius	90	10.00000
Is to B.C.	169.4	2.22791
So is the sine of $\angle C$ B.D		9.91336
		<u>12.14227</u>
		10.00000
		<u>2.14227</u>

To D.C. 138.8 height required

Base Problem 6th

Let B.C. a maypole whose height is 100 feet be broken at D the upper part of which D.C. falls upon a horizontal plane so that its extremity C is 34 feet from the bottom or foot of the pole

Require the segments B.D. and D.C. each



Problem the 7th October the 20th

To take the altitude of a perpendicular object on a hill from a plane beneath it.
 Plate 5th Fig 5th First Station angle to the top of the hill A.B. 21.00 angle to the top of the hill C.B. 35.00
 Stationary distance A.B. 104 feet
 Second Station angle to the top 48.30

As the sine of $\angle C.B.B$ 15.30 $\frac{9.30518}{104}$ 2.01403
 Is to $C.B.$ 104
 So is the sine of $\angle C.B.D$ 151.30 $\frac{9.87446}{17.87147}$ 9.30518
 To $C.D.$ 2.52331

As the sine of $\angle A.D.B$ 111 $\frac{9.99015}{339.6}$ 2.52323
 Is to $A.B.$ 339.6
 So is the sine of $\angle A.D.C$ 149.58568 $\frac{11.90691}{9.34015}$ 1.93676
 To $D.B.$ 86.46 the height required

$\angle C.B.C$ 180
 $\angle C.B.A$ 48.30
 $\angle C.B.D$ 35
 $\angle C.B.A$ 151.30
 $\angle C.B.D$ 166.30

$\angle A.B.C$ 180
 $\angle A.B.D$ 166.30
 $\angle A.B.C$ 13.90

$\angle A.D.B$ 21.00
 $\angle A.D.C$ 14
 $\angle A.D.B$ 90
 $\angle A.D.C$ 55
 $\angle A.D.C$ 74
 $\angle A.D.C$ 89
 $\angle A.D.C$ 180

Problem 8th

To find the length of an object that stands obliquely on the top of a hill from a plane beneath
 Let $C.D.$ be a tree whose length is required
 This is done at two stations

First Station angle to the foot $\angle C.B.D$ 36.30"
 angle to the top $\angle C.B.C$ 44.30"
 Stationary distance $A.B.$ 104 feet
 Second Station angle to the foot $\angle A.D.D$ 21.30"
 angle to the top $\angle A.D.C$ 32.00"

$\angle C.B.C$ 44.30
 $\angle A.D.C$ 32
 $\angle A.D.D$ 21.30

In the triangle $C.B.C$ find $C.C.$ this

1st As the sine of $\angle C.B.C$ 44.30" $\frac{9.33534}{104}$ 2.01403
 Is to $C.B.$ 104
 So is the sine of $\angle C.B.D$ 36.30" $\frac{9.42421}{11.74124}$ 9.33534
 To $C.C.$ 254.7 2.040670

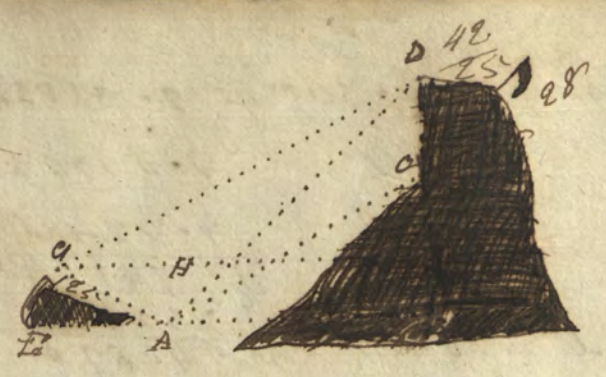
2nd $\angle C.B.D$ 36.30" $\angle A.D.D$ 21.30" $\angle A.D.C$ 32.00" $\angle A.D.B$ 21.30"
 As the sine of $\angle A.D.C$ 32.00" $\frac{9.51788}{104}$ 9.51788
 Is to $A.D.$ 104
 So is the sine of $\angle A.D.B$ 21.30" $\frac{9.61775}{11.63476}$ 9.31788
 To $D.B.$ 207.4 2.31688

$\angle C.B.C$ 44.30" $\angle C.B.D$ 36.30" $\angle C.B.D$ 8.00"
 In the triangle $C.B.D$ there is given $C.B.$ 254.7 $\angle C.B.D$ 8.00"
 and the angle $\angle C.B.D$ 8.00" to find $D.B.$
 As the sum of the two sides $B.C.$ and $D.B.$ 462.1
 Is to their difference 47.3
 So is the tangent of half the two unknown angles 47.3
 to the tangent of half their difference 47.3

Sum of the two sides 462.1
 Difference of the sides 47.3
 half Difference of the two unknown angles 86 $\frac{11.15536}{12.83022}$ 2.66474

Tangent of half their difference 55.40
 add 55.40 $\frac{10.16548}{141.40}$ $\frac{55.40}{30.20}$ $\frac{55.40}{30.20}$ $\frac{55.40}{30.20}$ $\frac{55.40}{30.20}$
 As the sine of $\angle B.C.D$ 30.20 $\frac{9.40332}{207.4}$ 2.31681
 Is to $B.C.$ 207.4
 So is the sine of $\angle C.B.D$ 8.00 $\frac{9.14356}{11.46037}$ 9.70932

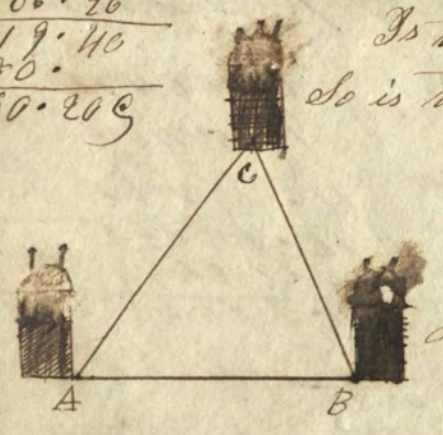
the length of the tree $D.C.$ 57.15 $\frac{1.75705}{10.00000}$ 2.31681
 As radius 90
 Is to $B.D.$ 207.4
 So is the sine of $\angle D.B.C$ 36.30 $\frac{9.77439}{12.09120}$ 2.09120
 The height of the hill $D.B.$



Of distances Problem 1

Let A and B be two houses on one side of a river whose distance asunder is 295 perches there is a tower at C on the other side of the river that makes an angle at C with the line CA of 53.20" and another at B with the line CB of 66.20" required the distance of the tower from each house viz CA and CB

53.20"
66.20
119.40
180.
60.20



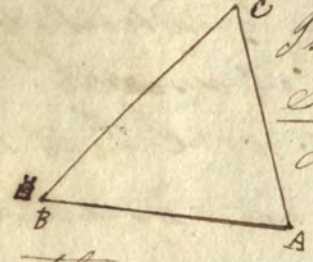
As the sine of 66.20 is to A.B 295
So is the sine of 53.20 to B.C 270.5
To A.C 308.8

As the sine of 60.20 is to A.B 295
So is the sine of 66.20 to B.C 270.5
To A.C 308.8

Problem 2

Let B and b be two houses whose direct distance asunder B-b is inaccessible however it is known that a house at A is 252 perches from B and 290 from b and that the angle B.A.b is 70 what is the distance B-b between the two houses

As AB + 252
A.b + 290
482
180 angle of
70 half the unknown
22



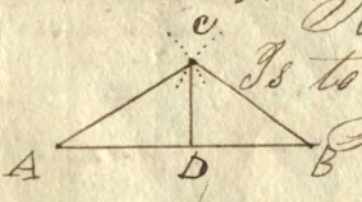
Is to the sum of their difference 22
So is the tangent of half the two unknown angles
As the sum of the two Sides of B and
of A.b 482
Is to their difference 22
So is the tangent of half the two unknown ang 55.20.10.15.477
to the tangent of half their differa 11.47719
2.68305
55.44
51.16
C + B 3.44.8.81414
angle B

As the sine of C 58.44 is to A.B 252
So is the sine of A 70 to B.b 277.4
To B.C 277.4

Problem 3

Suppose A.B.C a triangular piece of ground which by an old survey we find to be thus A.B 260 A.C 160 B.C 150 perches the measuring lines AC and BC are destroyed or plowed down and the line AB only remaining what angles must be set off at A and B to run new measurings by exactly where the old ones were

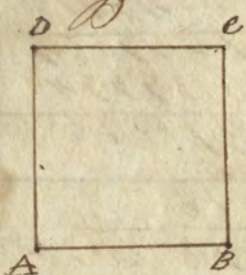
A.B 260 A.C 160 B.C 150
As A.B 260 is to A.C 160
So is A.C 160 to A.D 110
So is A.C 160 to C.D 110
So is A.C 160 to C.D 110
So is A.C 160 to C.D 110



To A.B 260
As A.C 160 is to A.D 110
So is A.C 160 to C.D 110
So is A.C 160 to C.D 110
So is A.C 160 to C.D 110
To the second part 110
To the sine of B 34.10

Problem 1st

To find the Content of a Square piece of ground
 Multiply the base in perches into the perpendicular in
 perches or Square the base the product will be the content
 in perches and because 160 perches Make an acre it
 Must thence follow that Any acre or Content in
 perches be divided by 160 Will give the Content in
 acres the remaining perches if More than 40 being
 divided by 40 will give the roods and the last remainder
 if any will be perches



Examples

Let A B C D be a square field whose Side
 is 40. 29 & I demand the content in acres
 By Problem 1st Section 5: 14. 6 29 are equal

40	29	14	6	29
1600	1160	560	116	116
<hr/>				
26244				
5832				
<hr/>				
160	850	3056	5	10 Content
800				
40	50	1		
<hr/>				
22	33			

Problem 2nd

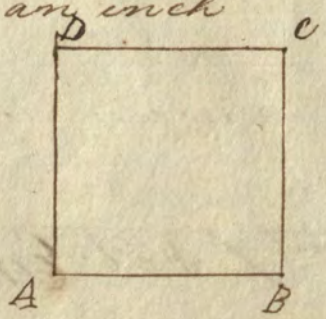
To find the Side of a Square whose content is given
 Extract the Square root of the given Content in perches
 And you have the side in perches and consequently
 in Chains

Example

It is required to lay out a square piece of ground which
 shall contain 1208 5/8 or 1600 required the number of Chains
 in each Side of the Square and to lay down a map of it
 by a Scale of 40 perches to an inch

1208	5/8
1600	
<hr/>	
2056	24 5/4 @ 4
16	
<hr/>	
486	
425	
3100	
203	2709
1064	37100
36256	
<hr/>	
2844	

ch L
 22. 33 1/2
 Consider



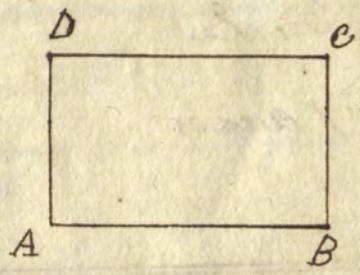
Problem 3rd Remembered

To find the content of an oblong piece of ground
 Multiply the length by the breadth for the content

Example

Let A B C D be an oblong piece of ground whose length
 A B 14. 25 and breadth B C 8. 37 I demand the
 Content in acres and also to lay down a Map of
 it by a Scale of 20 perches to an inch

14	25	Peche
28	00	29.00
0	1	
8	37	Peche
2	1	17.48
<hr/>		
17	48	
0	1	Peche
14	25	= 29.00
8	37	= 17.48
<hr/>		
15	732	
3	496	
<hr/>		
160	506	92 (3.0.2.6)
480		
<hr/>		
2	6	perches



Problem 4th

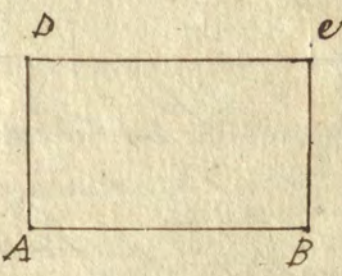
The content of an oblong piece of ground and one Side given
 to find the other

Divide the content in perches by the given Side in perches
 the quotient is the required Side in perches and thence it
 may be easily reduced to chains

Example

There is a piece 14. 25 long by the Side of which it is required to lay
 out an oblong piece of ground which shall contain 5. 0. 27
 what breadth must be laid off at each end of the piece
 to enclose the 5. 0. 27

14	25	ch L
28	00	29.00
4		
12		
40		
<hr/>		
29	505	(2117) 48 = 28. 37
277		or 27. 37
203		
<hr/>		
14		
100		
27	1400	48
116		
<hr/>		
240		
232		



Problem 7th Novemba The 2^d 1826

Two sides of a plane triangle and there including angle given to find the area

Rule

To the log sine of the given angle or of its supplement to 180° if obtuse add the logarithms of the containing sides the sum less radius will be the logarithm of the double area

Example

Suppose two sides AB and AC of a triangular lot ABC from an angle of 30 degrees and measure one 64 perches and the other 40.5

What must the content be

Given angle	30° sine	9.69897	
		64 log	1.80618
		40.5 log	1.60746

Radius 10.00000

2 1276 log 3.11261

260 648 (A) 40.5 P. Area

2. required the area of a triangle two sides of which 49.2 and 40.8 perches and their contained angle 144 1/2 degrees

49.2	1.69196	
40.8	1.61066	
144 1/2	9.78995	190
	13.08657	144.30
Radius 10	10.00000	55.20

2 1166 - 3.08657

40 58.31

4 114.2

3.2.23

A.R.P

3. What quantity of ground is inclosed in an equilateral triangle each side of which is 100 perches either angle 60 degrees or 120

100	2.00000
100	2.00000
60	9.99753

13.99753

Radius 10.00000

2 9660 log 3.98753

46 4330

110 877

2 77.5. 100 of 100

Problem 10th Nov. 2^d 1826

To find the area of a trapezoid or a figure bounded by four right lines two of which are parallel but unequal

Rule

Multiply the sum of the parallel sides by their perpendicular distance and take half the product for the area

Example

Required the area of a trapezoid of which the parallel sides are respectively 30 and 49 perches and their perpendicular distance 6.6

30 + 49 = 79
55.44
4512
2 4566.4
2433.2 area
4 60.332 perches
15.332 P
A.R.P



In the trapezoid ABCD the parallel sides are AD 30 perches BC 49 and their perpendicular distance AB 6.6 Required the content

BC 49
AD 30
79

104
2 1952
40 676
4 16736 P
4 4736 P

Problem 11th

To find the content of a trapezium

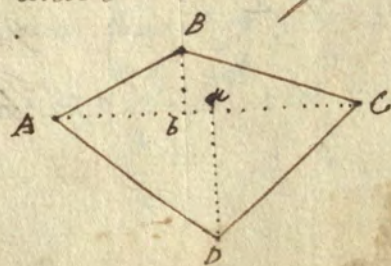
Rule

Multiply the diagonal or line joining the remotest opposite angles by the sum of the two perpendiculars falling from the other angles to that diagonal and half the product will be the area

Example

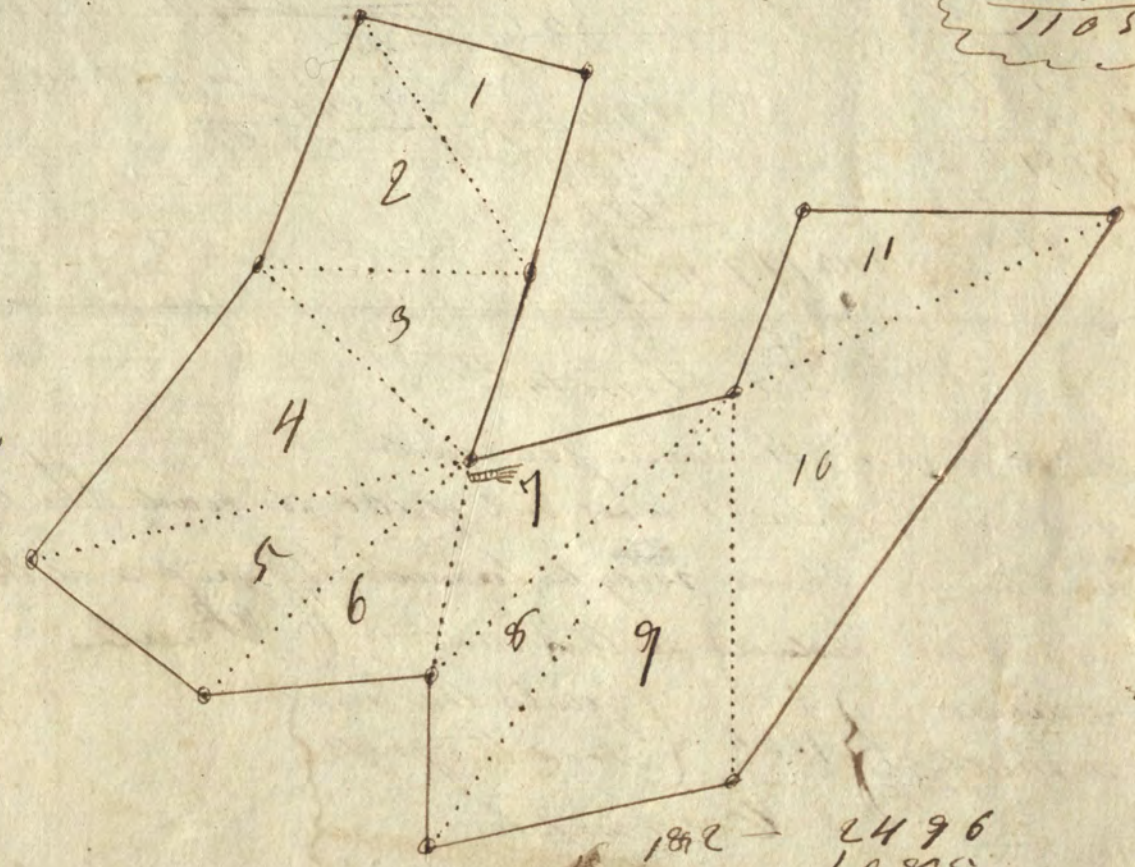
Let ABCD be a field in form of a trapezium the diagonal AC 64.4 perches the perpendiculars BE 13.6 and DF 22.2 required the content

Diagonal 64.4
13.6 + 22.2 = 35.8
2292.32
2 2292.32
1146.16
10 114616 perches



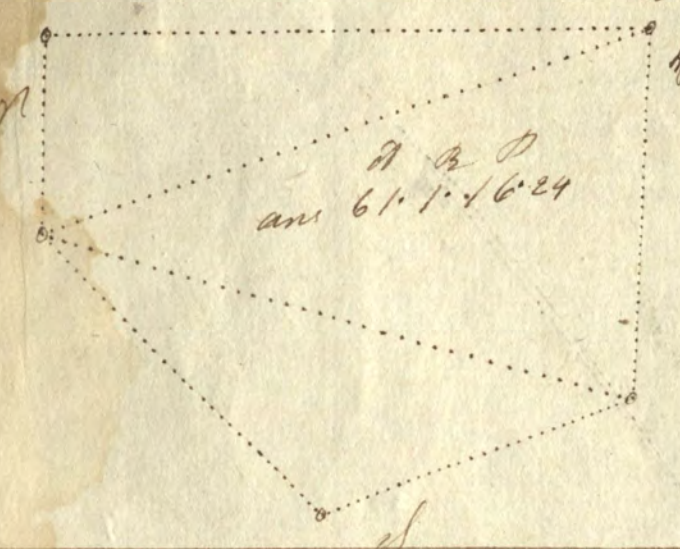
Field notes of the two foregoing Methods
as practiced in Pennsylvania

Courses	Distances	164 - 32	31
1 N 75.00 E	54.5	46	35
2 N 20.30 E	41.2	78	108.5
3 East	64.8	156	77
4 S 33.30 W	141.2	234	511
5 S 76.00 W	64.0	2496	29 1/2
6 north	36.0	693	436 1/2
7 S 84.00 W	46.4	154	2007 1/2
8 S 55.15 W	46.4	38 1/2	73 1/2
9 N 36.45 E	76.8	68.8	184 1/2
10 N 22.30 E	56.0	83.54	219
11 S 76.45 E	48.0	16	73.6 1/2
12 S 15.00 W	43.4	840	985 1/2
13 S 16.45 W	40.5	1188	785 1/2
		14	112.744
		55.2	22.22
		55	75.221
		122.2	224
		224	73.13
		246.4	255
			55
			1105



132	2496
3	1085
4	2271 1/2
5	2007 1/2
6	985 1/2
7	1165
8	840
9	2484
10	5289
11	7209
40	17713 1/2
41	444 1/2
	11700.13 Answer

Courses	Distances	135	135.2
1 S 12.0 W	16 P 3	1197	779 2
2 S 77.0 W	69 P 9	25.27	666
3 N 37.0 W	82 P 3	126.6	4731.9 2
4 N 10.0 E	41 P 3	20.27	253.2
5 Thence to the beginning		2532	2557.3 2
			4731.9 2
			25.27
			409876.24
			4
			245.16
			61.1.16.24 Answer
			A.R.D

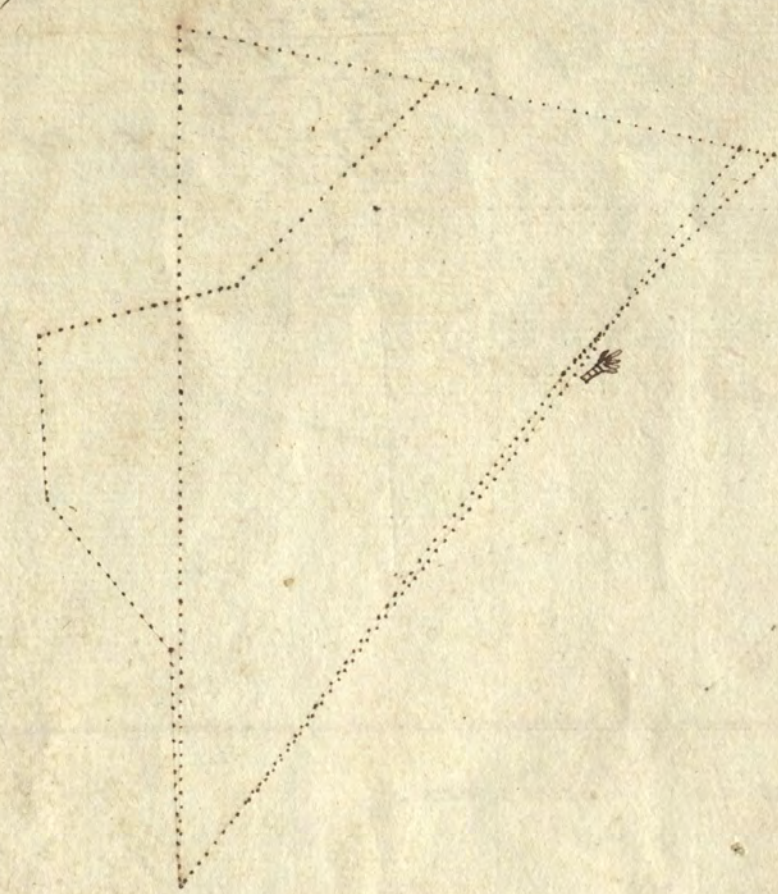


Courses & Distances	123.6	1103
S 44.00 E	69 P	5.1 1/2
S 69.00 E	72	123.6
S 2.00 E	48	61.80
N 10.00 W	62 P	61.8
		406365.4
		41
		159
		39.3.5.4 Answer
		A.R.D



Courses	Distances	P
1 N. 47.00 E	64 P	191
2 N. 75.00 W	71 P	54.3
3 S. 48.00 W	59 P	573
4 S. 79.00 W	42 P	764
5 South	34 P	755
6 S. 56.00 E	41	40 1037 (1.3)
7 South	49	259.11
		64.3
		11.3 Answer
		A. B. P

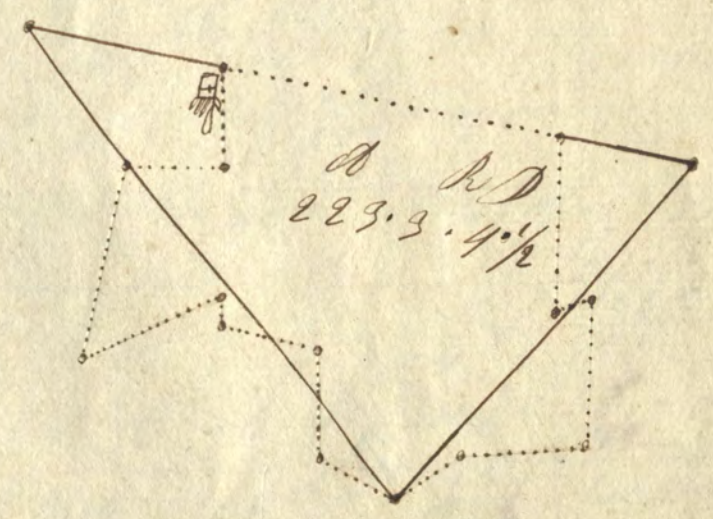
2/108.6
54.3



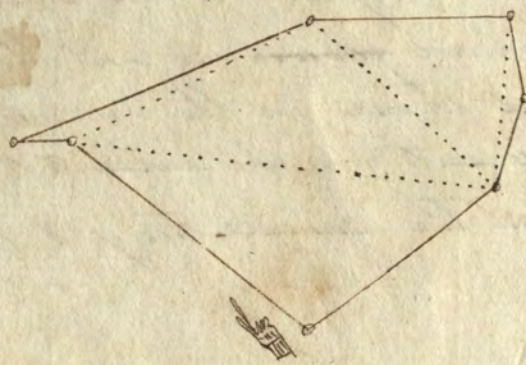
Courses	Distances
1 South	52 P
2 West	48 P
3 S 13.00 W	164
4 N 65.00 E	80
5 South	14
6 S 76.00 E	52 P
7 S 2.00 W	55
8 S 65.00 E	46
9 N 57.00 E	40
10 N 53.00 E	66
11 North	46
12 S 65.00 W	20
13 North	90
14 N 80.00 W	179

Base 354.5
101
354.5
354.5
40 | 3580 (4.5)
4 | 895
223.3.4.5 Answer
A. B. P

This map is laid down ^{at} 100 perches
to an inch
The angles on the outside
are laid down in on the line
and those in the inside are
laid out on the extended lines
from the corners to get the angle



Courses .. Distances
 N 52° W .. 160 P
 West .. 30 P
 N 68° 30' E .. 168 P
 East .. 103 P
 S 9° E .. 44 ..
 S 78° N .. 47 ..
 thence to the beginning



The method of calculating in Pennsylvania

Courses	Dist	N	S	E	W	M.D.	N. Area	S. Area	
1 N 75° 00' E	54.8	15.9		52.7		255.9	5251.21		
2 S 20° 30' E	41.2		38.4		14.4	320.4		115.35.36	
3 East	64.8				64.8	379.6			
4 S 33° 30' W	41.2		11.7		77.7	366.4		45160.59	
5 S 76° 00' W	64.0		15.4		62.0	227.0		3495.80	
6 North	36	36.0				162.0	5940.00		
7 S 84° 00' W	46.4		4.7		45.7	169.5		560.85	
8 N 53° 15' W	46.4		27.7		36.8	36.5	1017.36		
9 N 36° 45' E	76.8	60.9		45.4		45.4	2764.56		
10 N 22° 30' E	56.5	51.7		21.4		112.2	5800.74		
11 S 76° 45' E	48.0		11.0	46.9	11.1	150.5		1989.30	
12 S 15° 00' W	43.4		41.5		11.5	215.9		8959.85	
13 S 16° 45' W	42.5		38.9			193.9		7405.39	
						228.6	228.6	2448/448	30311.05
									65563.76
									30311.05
									27822.75

Courses	Dist	N	S	E	W	M.D.	N. Area	S. Area
1 N 47° E	64	43.6		46.8		260.4	1165.5	
2 N 75° W	71		18.4		68.6	238.6		4390
3 S 48° W	59		55.5		43.5	126.2		4984
4 S 79° W	42		37.0		41.2	41.2		327
5 South	34					00.0		
6 S 30° E	41		33.2		24.1	24.1		800
7 South	49					130.9		2561
						213.6		
						101.7		16612
						327		

The closing line
 15.56 S 109.7
 709 E 62.0
 82.7 S 70.7

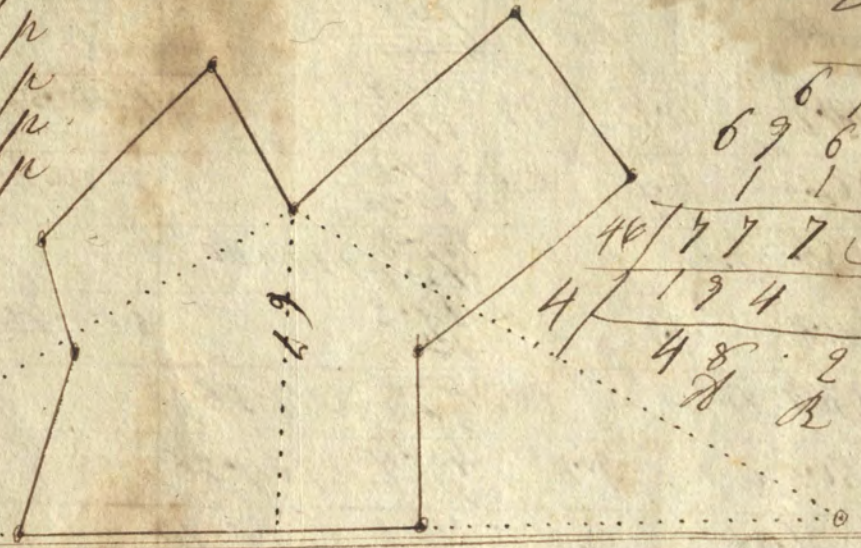
290.55
 8474
 2/205.81
 40/1029.0
 4/257.10

8474
 800
 2561
 16612
 290.55
 8474
 2/205.81
 40/1029.0
 4/257.10

To calculate and divide a tract of land by reducing it to one triangle. Let the following field notes be given to be calculated and divided in to two equal parts from the first station.

Station the course and distances of the dividing line are equal

1050° E 260 p
 S 36° E 242 p
 S 52° W 256 p
 South 236 p
 West 234 p
 N 20° E 240 p
 N 16° W 224 p
 N 45° E 250 p
 S 24° 30' E 234 p



232
 334
 696
 696
 116
 46/7772
 4/19412
 48 2.12 Area
 A B C

The following field notes are proposed to be divided in to two equal by two right lines running from the sixth and seventh stations and proceed by calculating the content of the middle part

Course	Dist	No	E	W	N.B	Manal	Area
N E 56 1/4	21.60	12	18	36	36	216	
N E 26 1/2	13.44	12	6	42	48	504	
S E 7 1/2	18.96	6	18	66	84	396	
S E 26 1/2	13.44	12	6	90	96	1080	
S W 7 1/2	18.96	6	18	78	60	468	
S E 45	8.47	6	6	66	72	396	
S E 65 1/2	13.44	6	12	84	96	504	
N E 45	8.47	6	6	102	108	612	
S E 26 1/2	13.44	12	6	114	120	1368	
S W 45	8.47	6	6	114	108	684	
S W 63 1/2	13.44	6	12	96	84	576	
N W 76	24.73	6	24	60	36	360	
N W 36 1/4	30.100	24	18	18	00	432	

60860578578
 2124
 3472
 2124
 273348
 16754
 12432

Edmader 167.1.24

Cask Gauging

When the head bung and length are given
 Rule

To twice the square of the bungs diameter add once the square of the head multiply by the length and divide by 886 and the quotient will be the content in wine gallons

Example

A cask whose bungs diameter is 24 inches head 20 length 32 inches what is the content in wine gallons

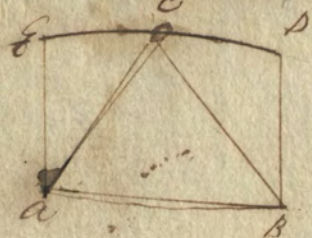
24
 24
 96
 48
 576 Square
 1152
 4608
 1552
 32
 3104
 4856
 886)49664(56.3 Division
 4410
 5564
 5292
 2720 33
 2646

A cask whose bung diameter 28 inches head diameter 22.5 and length 32 inches what is the content in wine gallons

28
 28
 112
 224
 56
 784
 1568 Double Square
 506
 2074
 32
 4148
 6222
 886)6636(75.9.2
 6174
 4628
 4410
 2180
 1764

Rule 2

When the diagonal from the bung to the heads is given then take the length thereof in inches and divide by 370 and the quotient will give the content in wine gallons. Note this rule accurate only when the angle at *b* made by the rods in taking the diagonals to each end is an angle of 90 degrees if the angle be either greater or less the content by the rule will be more than the cask really holds but a difference of 10 degrees either way will make no material difference



Let *abcd* be a cask whose diameter *bc* and *bc* is 27 inches ans. 599 1/2 requires the content

$$\begin{array}{r}
 27 \\
 27 \\
 \hline
 189 \\
 54 \\
 \hline
 729 \\
 27 \\
 \hline
 5733 \\
 1458 \\
 \hline
 370 \overline{) 79683} \text{ the rule says } 53.2 \text{ days 2 thaus} \\
 \underline{1550} \\
 11183 \\
 \underline{1110} \\
 23062 \\
 \underline{240}
 \end{array}$$

By late
Add up the
they are not
are not
subtraction
Multi
for the
3 Area
top

FOR THE
SOLD
80 - 100
FOR THE